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Modeling and simulation of fire spreading through the activity tracking paradigm

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ABSTRACT

Modeling and simulation is essential for understanding complex ecological systems. However, knowledge of the structure and behavior of these systems is limited, and models must be revised frequently as our understanding of a system improves. Moreover, the dynamic, spatial distribution of activity in very large systems necessitates mapping natural mechanisms as logically as possible onto computer structures. This paper describes theoretical and algorithmic tools for building component-based models and simulations of dynamic spatial phenomena. These methods focus attention on and exploit the irregular distribution of activity in ecological processes. We use the DEVS formalism as the basis for a componentbased approach to modeling spatially distributed systems. DEVS is a mathematical theory of discrete-event systems that is well suited for describing large systems that are described by small parts with irregular, short-range interactions. This event-based approach to modeling leads naturally to efficient simulations algorithms which focus on the active parts of a large model. Ecological modeling benefits from these efficient the simulation algorithms and the reusability of the model's basic components. Our event-based method is demonstrated with a physics-based model of fire spread.

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1. Introduction

Ecosystem analysis and understanding mostly necessitates 0 estimating values of parameters of active entities (animals or plants or abiotic components of the system). Thus, the greatest efforts of researchers are usually devoted to tracking activity (also called monitoring activity) in the components of ecosystems. Examples can be found in animal ecology (e.g., radio and GPS tracking methods), behavioral ecology (e.g., video tracking), plant ecology (e.g., population dynamics, monitoring of growth, of seed dispersal, of chemical secretion and of climatic parameters) and in fresh water and marine ecosystems (e.g., monitoring of fluxes, of hydrodynamics and of concentrations of various substances). On the contrary, little attention is paid to inactive entities, except from a descriptive point of view.

The ability to model ecological systems has been greatly improved over the last two decades by advances in the

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methods used to build conceptual models and in the tech-15 nology for simulating those models. Because ecology focuses 16 on living entities, the paradigm of individual based mod-17 eling has been widely developed. Individual based models 18 are implemented in several ways: deterministic cellular 19 automata; stochastic cellular automata (Balzter et al., 1998); 20 gaps models (forest growth models) in which each cell of 21 a grid holds a list of entities with attributes and methods 22 (Norby et al., 2001); multi-agents model mixing stochas-23 tic and deterministic processes (Parker et al., 2003) and 24 multiple models in which the processes act on entities at 25 several abstraction levels at the same time (from individ-26 uals to groups and to population) by means of various 27 techniques (e.g., Markov analysis, Monte Carlo simulations, 28 Leslie's matrixes, EDO and EDP, and finite element calcula-29 tions). 30

Object-oriented techniques are widely used for model-31 ing and simulation of systems (Sequeira et al., 1991; Baveco 32 and Smeulders, 1994; Holst et al., 1997; Hill et al., 1998; 33 Alfredsen and Sæther, 2000; Spanou and Daoyi, 2000). The 34 benefits of using an object-oriented approach for ecological 35 modeling and simulation are now well recognised (Silvert, 36 1993). Components extend object-oriented concepts to cre-37 ate a framework for dealing with hierarchical (sub-)systems 38 interacting through well defined interfaces. In addition, eco-39 logical models take advantage of component-based design 40 in several ways (Meyer, 1988 in Papajorgji et al., 2004): 41 to improve reusability and ease maintenance, to enable 42 cross-platform computing, and to combine distributed com-43 ponents through a service-oriented architecture. In this 44 paper, we consider components to be self-contained systems 45 46 with well-defined interfaces that send and receive discrete events 47

The principle of activity tracking follows naturally from 48 49 this view of components as discrete-event systems (Muzy and Zeigler, 2008). Simulation algorithms that are based on 50 activity tracking exploit the natural, dynamic variation of a 51 process in time and space. Although complexity of environ-52 mental models can be reduced a posteriori (Lawrie and Hearne, 53 2007), a priori design, analysis and implementation structures 54 are provided here to build efficient computational models. 55 These algorithms are both efficient and easy to apply when 56 the model is conceived of as a collection of components 57 that interact through discrete events. Activity focused mod-58 eling, using the constructs of the DEVS formalism and event 59 driven simulations, is a coherent approach to building efficient 60 simulation models of dynamic, spatially distributed systems. 61 This coherent world-view is particular useful for navigating 62 the numerous methods that have been proposed for building 63 64 models of complex ecological systems (Sequeira et al., 1991; Silvert, 1993; Baveco and Smeulders, 1994; Holst et al., 1997; 65 Hill et al., 1998; Alfredsen and Sæther, 2000; Spanou and Daoyi, 66 2000). 67

This paper is organized as follows. In Section 2, a brief
review of the state-of-the-art in forest fire modeling and simulation is provided, and the activity tracking paradigm is
introduced and applied to a physics-based model. In Section
3, the activity-based simulations presented. In Section 4, the
whole approach is discussed. Section 5 summarizes and concludes the paper.

2. Material and methods

Forest fires have well known economic, ecological, health and social impacts. The huge forest fires in Greece, Portugal, Australia and California that occurred in 2007 are recent reminders of these costs, and the acres of forest burned by wild fires each year is increasing exponentially (cf. Fig. 1).

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Modeling fire spread behavior is a hard task. In physics, very precise models focusing on relevant generic mechanisms (convection, diffusion and radiation) are usually experimented with by scientists to improve their knowledge. To develop generic, easy to modify, and efficient implementations of these models is very challenging.

2.1. Forest fire modeling

The behavior of forest fires is better understood now than it was 20 years ago. Significant research has been conducted in connection with the forest fires, particularly on the conditions favorable to ignition (period and intensity of hydric deficit: Dolling and Al, 2005; Núñez-Regueira et al., 2001, type of fuel: Q1 Dong Hyun et al., 2001), thermochemical and physicochemal Q2 characteristics, biological traits, bioclimatic parameters of various type of vegetation (Núñez-Regueira et al., 2000), and on the conditions of their propagation (topography, direction and intensity of the winds, connectivity of the surfaces covered by vegetation; Thompson et al., 2000).

Forest fire models can be separated into stochastic and deterministic (analytical) models. Stochastic models aim at predicting the most probable fire behavior in average conditions, using evolution rules drawn from lab experiments and field data samples. On the contrary, in analytical models, the fire behavior is usually deduced from the physical laws driving the evolution of the system. Recently, several sophisticated models were proposed (Barros and Mendes, 1997; Karafyllidis and Thanailakis, 1997; Hernández Encinas Hoya White et al., 2007; Yassemia et al., 2008) and successfully validated by com-Q3 parison with real fires. All of these models use either simple cellular automata or dynamical structure cellular automata (DSCA).

Based on Weber's classification (Weber, 1990), three kinds 110 of mathematical models for fire propagation can be identified 111 according to the methods used in their construction. The first 112 type of models are statistical models (McArthur, 1966), which 113 make no attempt to include specific physical mechanisms, 114 being only a statistical description of test fires. The results can 115 be very successful in predicting the outcome of fires similar to 116 the test fires. However, the lack of a physical basis means that 117 the statistical models must be used cautiously outside the test 118 conditions. The second category of models is semi-empirical 119 models (Rothermel, 1972) based on the principle of energy con-120 servation but which do not distinguish between the different 121 mechanisms of heat transfer. Rothermel's stationary model 122 is a one-dimensional model, in which a second dimension 123 can be obtained using propagation algorithms (Richards, 1990) 124 integrating wind and slope. Finally, physical models (Albini, 125 1985) integrate wind and slope effects in a more robust man-126 ner by describing the various mechanisms of heat transfer 127 and production. Physical mechanisms are described using a 128

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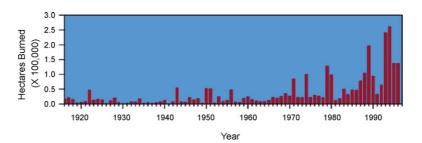


Fig. 1 – Annual area burned by wildfires in Arizona and New Mexico (http://geochange.er.usgs.gov/sw/impacts/biology/ fires_SOI/).

chemical, thermal and mechanical definition of basic fire phenomena. Hence, physical and semi-empirical models use the definition of basic fire phenomena to physically describe fire propagation.

Today, most ready-to-run software for fire spread simula-133 tion (Veach et al., 1994; Finney, 1995; Coleman and Sullivan, 134 135 1996; Albright and Meisner, 1999; Lopes et al., 2002) and simulations of fire spreading on large-scale (Wu et al., 1996; Hargove 136 et al., 2000; Miller and Yool, 2002) are based on Rothermel's 137 138 model (Rothermel, 1972). A lot of effort has been placed in improving simulations of Rothermel's model. In the CA field, 139 studies pinpoint the need for developing new classes of CA 140 for fire spreading applications (Karafyllidis and Thanailakis, 141 1997; Berjak and Hearne, 2002). Many methods based on 142 discrete-event formalisms and object-oriented programming 143 have been proposed to improve CA capabilities for fire spread 144 simulation (Vasconcelos et al., 1995; Ntaimo and Zeigler, 2005; 145 Ameghino et al., 2001; Muzy et al., 2003). Unlike basic CA, 146 these models can receive external update information, the fire 147 perimeter can be updated at any moment due to the continu-148 ous time nature of the discrete-event specifications, and active 149 cells can be dynamically created and removed to save memory 150 for large cell spaces. 151

152 2.2. Activity tracking framework

The appropriate choice of a time management scheme 153 depends on the nature of the system and on the modeling 154 objectives. For a system in which every state change occurs 155 at a fixed increment of time, discrete events will produce 156 simulation overhead, and a discrete-time driven simulation 157 will be more efficient because we do not have to predict (by 158 computation) what we already know will happen and when. 159 However, in natural systems discrete-time evolution does not 160 exist. Discrete-time flows in a model exist only after the dis-161 cretization of continuous time by the modeler (Ralston and 162 Rabinowitz, 2001). For other systems, "while other formalisms 163 allow representation of space and resources, only discrete-164 event models offer the traditional ability to explicitly and 165 flexibly express time and its essential constraints on com-166 plex adaptive systems behavior and structure" (Zeigler, 2005). 167 The advantage of discrete-event driven simulations is that a 168 simulation model evolves directly from one state change to 169 another. No computations are performed during inactive peri-170 ods, but this requires that the next state change can be forecast 171 172 from the current state and it requires an efficient method for scheduling events. 173

Fig. 2 depicts the essential parts of an activity tracking simulation. It merges the three usual world-views (activity-, event-, and process-oriented strategies) into a single framework that includes discrete-time driven models as well; the usual world-views are underlined where they appear in the activity tracking strategy. Marks are added to and removed from components to track activity as it propagates through the model; these marks are used to maintain the set of active components as the simulation progresses. Every activity tracking simulation has two basic steps:

- Step I: Components exchange information and the propagation of activity is tracked. The current active set is scanned for components that have output events and these events are routed to their destinations; routing in hierarchal models can be done recursively (for more information, see Muzy and Nutaro, 2005). The active set is updated to include atomic components that have received these output events. Atomic components are basic behavioral components that are coupled together to build a hierarchical structure (for more information, see Zeigler et al., 2000).
- Step II: New states are computed for active components from their current states and inputs. Components that changed state significantly are marked and added to the active set; components that do not undergo a significant change of

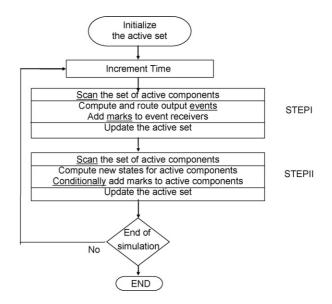


Fig. 2 - State-centric activity tracking pattern.

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state are removed from the active set. In a discrete-event
driven simulation, the active set is an event scheduler and
the active components are in the schedule or will receive an
input from a model in the schedule.

This a state-centric two-step pattern. Both local and global
levels of modularity for state transitions can be achieved.
Local transitions are achieved on states of single components.
Global transitions are achieved on many component states.
More details can be found in Muzy and Zeigler (2008).

207 2.2.1. Dynamic structure cellular automata (DSCA) 208 specification

Cellular models are commonly used to model ecological 209 systems because spatial relationships are a crucial to how eco-210 logical systems function (Wu and David, 2002). Regardless of 211 the simulation kernel used, be it time driven or event driven, 212 the simulation algorithm rarely focuses computations exclu-213 sively on active cells, but carefully scrutinizes every cell in 214 the grid. This type of implementation is conceptually different 215 from the activity focused evolution of the real process and at 216 odds with the final analysis where we focus on change, not its 217 218 absence. More practically, this approach to simulation requires 219 tremendous computational resource and consequently is limited with regards to the physical space it can handle. For 220 instance, a forest growth simulator developed by some of us 221 cannot reasonably manage more than 25Ha within a simula-222 tion over one century on a fast running desktop computer. 223

The ability of cellular automata to change topology has 224 been investigated through two research directions. First, struc-225 turally dynamic cellular automata (SDCA) (Alonso-Sanz, 2007) 226 study a phenomenology of neighborhood changes during the 227 simulation. Discrete-value cells change neighborhood accord-228 ing to their own value. Second, DSCA (Barros and Mendes, 229 1997; Muzy et al., 2004) are based on the System Theory. Math-230 ematical structure specifications and simulation algorithms 231 are provided which constitute a generic framework for imple-232 menting simulation models. DSCA models specify structure as 233 a function of the model's complete state, and the structure of 234 the model can change as the states of its components change. 235 DSCA can be specified as discrete-time or discrete-event net-236 works. 237

We present here a network specification of dynamic structure cellular automata (DSCA, cf. Fig. 3):

240 Network_{DSCA} = $\langle X_{DSCA}, Y_{DSCA}, M_{\chi} \rangle$

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where X_{DSCA} and Y_{DSCA}, are respectively the input and output
 sets.

²⁴³ Dynamic structure changes are handed by the executive model:

245 $M_{\chi} = \langle X_{\chi}, Y_{\chi}, S_{\chi}, \delta_{\chi}, \lambda_{\chi}, \tau_{\chi} \rangle$

The structural state is defined as $S_{\chi} = \langle D, \{C_i\}, \{I_i\}, \{Z_{i,j}\} \rangle$, which can be described as follows:

- D contains the references i (coordinates or number) of active
 cells,
 - {*Z*_{*i,j*}} is the set of coupling functions. Coupling functions describe how components are connected:

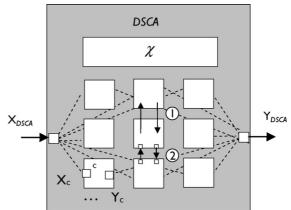


Fig. 3 - A dynamic structure cellular automata. The DSCA component has input and output sets X_{DSCA} and Y_{DSCA} constituted of ports (represented as boxes) to interact with external components in a modular way. A modular specification allows the encapsulation and increasing behavioral autonomy of components. However, interacting massively through discrete events and ports has a simulation cost. Case (1) corresponds to a non-modular specification of cells (transition functions of cells directly influencing each others). Case (2) corresponds to a modular specification of cells. The network executive χ is specified here in a non-modular way (for efficient access of component states). Coupling between cells and DSCA inputs and outputs are indicated as dash lines. When the non-modular specification is chosen, the corresponding coupling function does not need to be specified.

- The network executive χ is embedded in the DSCA: $Z_{DSCA \rightarrow \chi}$: $X_{DSCA} \rightarrow X_{\chi}$ and $Z_{\chi \rightarrow DSCA}$: $Y_{\chi} \rightarrow Y_{DSCA}$;
- The network executive χ can be connected to a cell $c \in D$: $Z_{\chi \rightarrow \text{ cell}}$: $Y_{\chi} \rightarrow X_c$ and $Z_{c \rightarrow \chi}$: $Y_c \rightarrow X_{\chi}$;
- A cell can be externally connected to both input X_{DSCA} and output Y_{DSCA} of the DSCA: $Z_{DSCA→c}$: $X_{DSCA} → X_c$, $Z_{c→DSCA}$: $Y_c → Y_{DSCA}$;
- A cell can be internally connected to its neighboring cell $p \in D$ as: $Z_{p \to c}$: $Y_p \to X_c$ and $Z_{c \to p}$: $Y_c \to X_p$;

• For a cell $c \in D$, $I_c = \{N_c, DSCA, \chi\}$, $I_{\chi} = \{\{C_i\}\}$ where N_c is the neighborhood of a cell c.

 $\delta_{\chi}: X_{\chi} \times S_{\chi} \to S_{\chi}$, is the structural state transition function. According to current structural state and inputs, the transition function computes a new structural state. Changes in structure include changes in cells neighborhoods, changes in cell definitions, and addition or deletion of cells. The structural state transition function is composed of internal and external functions $\delta_{\chi} = \left\{ \delta_{\text{int}_{\chi}} \cup \delta_{\text{ext}_{\chi}} \right\}$. External transitions account for external events and internal transitions for autonomous computations (for more information: Barros, 1997).

 λ_{χ} : $S_{\chi} \rightarrow Y_{\chi}$ is the structural state output function. Through the output function structural states can be sent to other models.

 $\tau_{\chi}: S_{\chi} \to \mathbb{N}$ for a discrete-time base and $\tau_{\chi}: S_{\chi} \to \mathbb{R}^+$ for a discrete-event time base.

igler (2008). ta (DSCA) \sim model ecological a crucial to how eco-2002). Regardless of Fig. 3 – A dynamic structure cellular auto

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As a minimum assumption, each cell c can be specified as an atomic component:

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$$C_i = \langle X_i, Y_i, S_i, \delta_i, \lambda_i, \tau_i \rangle$$

where

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 $\begin{array}{ll} {}^{_{282}} & X_i \text{ and } Y_i \text{, are respectively input and output sets.} \\ {}^{_{283}} & S_i = \langle (m,n), S^{N_i}, \text{phase} \rangle \text{, with} \end{array}$

$$\begin{cases} S^{N_i} = \left\{ s_p / p \in I_i \right\} \\ \text{phase} = \{\text{"active", "passive", ...} \} \end{cases}$$

where $(m, n) \in \mathbb{N}^2$ are cells' coordinates, N_i has been defined previously as the neighborhood set, S^{N_i} represents the states of neighboring cells. When receiving or sending its state, a

cell is in phase "active", otherwise it is in phase "passive".

 $\begin{array}{ll} _{289} & & \delta_i \colon X_i \times S_i \to S_i \text{ is the transition function}^1 \text{ composed of internal} \\ _{290} & & \text{ and external functions } \delta_i = \{\delta_{int_i} \cup \delta_{ext_i}\}, \text{ where } \delta_{int_i} \colon S_i \to S_i, \\ _{291} & & \text{ and } \delta_{ext_i} \colon X_i \times S_i \to S_i. \end{array}$

- 292 $\lambda_i: S_i \to Y_i$ is the output function.
- $\begin{array}{ll} _{293} & \tau_i:S_i\to \mathbb{N} \mbox{ for a discrete-time base and } \tau_i:S_i\to \mathbb{R}^+ \mbox{ for a } \\ _{294} & \mbox{ discrete-event time base.} \end{array}$

For a more complex cell, the latter can be decomposed as a network (dynamic structure or not) of sub-components (Muzy et al., 2005a,b) ever, regarding the closure under coupling of dynamic structure networks, precise network specifications can be expressed by (or is equivalent to) a single atomic specification (more details in Zeigler et al., 2000).

301 2.3. Fire spread application

Models derived from basic physical processes describe the 302 spread of fire in terms of well-understood heat propaga-303 tion principles (radiation, convection, etc.) These continuous 304 mathematical models can be discretized in several differ-305 ent ways for the purposes of simulation using discrete event 306 and discrete-time methods. Our work extends the model pre-307 sented in (Muzy et al., 2005a,b) to include an implicit and 308 a quantization-based descretization through activity-based 309 modeling and simulation. 310

311 2.3.1. The physics-based model

Physics-based fire spread models usually consist of reaction
diffusion equations. These PDEs cannot be solved analytically.
They have to be solved numerically. Discrete-time solutions
can be obtained using Explicit (Forward) or Implicit (Backward)
Euler methods.

The physical model we use (Balbi et al., 1998) is composed of elementary cells of earth and plant matter. Under no wind and no slope conditions, the temperature of every cell is represented by the following PDE:

$$\frac{\partial T}{\partial t} = -k(T - T_a) + K\left(\frac{\partial^2 T}{\partial x^2} + \frac{\partial^2 T}{\partial y^2}\right) - Q\frac{\partial \sigma_v}{\partial t}$$
(1a)

322 $\sigma_v = \sigma_{v0}$ if $T < T_{ig}$ (1b)

¹ Modularity cases: (1) $S_i = S_i^{N_i}$ and $X_i = X_{DSCA}$ (assuming external influences of cells), (2) $X_i = X_{DSCA} \times X_i^{N_i}$, with $X_i^{N_i} = \{x_p/p \in I_i\}$.

$$\sigma_{\rm v} = \sigma_{\rm v0} \cdot e^{-\alpha(t-t_{\rm ig})} \quad \text{if } T \ge T_{\rm ig} \tag{1c} \qquad 323$$

 $T(x, y, t) = T_a$ at the boundary (1d) 324

$$T(x, y, t) \ge T_{ig}$$
 for the burning cells (1e) 32

 $T(x, y, 0) = T_a$ for the non-burning cells at t = 0 (1f) 3

where T_a (27 °C) is the ambient temperature, T_{ig} (300 °C) is the ignition temperature, t_{ig} (s) is the ignition time, T (°C) is the temperature, K (m² s⁻¹) is the thermal diffusivity, Q (m² °C/kg) is the reduced combustion enthalpy, α (s⁻¹) combustion time constant, σ_v (kgm⁻²) is the vegetable surface mass, and σ_{v0} (kgm⁻²) is the initial vegetable surface mass (before the cell's combustion). The term k(T – T_a) represents thermal exchanges with the air, the term K(($\partial^2 T/\partial x^2$) + ($\partial^2 T/\partial y^2$)) represents the diffusion phenomenon, and the term Q($\partial \sigma_v/\partial t$) represents the combustion energy (the reaction).

2.3.2. Discrete-time solutions

In a previous study, Finite Element and the Finite Difference Methods were used to discretize this physical model (Santoni, 1996). The Finite Difference Method provided equivalent results as the Finite Element Method. However, the latter appeared more complex to implement and involved longer execution times. Therefore, the Finite Difference Method has been chosen.

2.3.3. Explicit solution

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The physical model (1a)–(1f) solved by the Explicit Method leads to the following difference equation:

$$T_{i,j}^{n+1} = a(T_{i-1,j}^{n} + T_{i+1,j}^{n}) + b(T_{i,j-1}^{n} + T_{i,j+1}^{n}) + cQ\left(\frac{\partial\sigma_{v}}{\partial t}\right)_{i,j}^{n}$$
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$$-dT_{i,j}^n + e$$
 (2) 349

where T_{ij} is the grid node temperature. The coefficients *a*, *b*, *c*, *d* and *e* depend on the time step and the mesh size considered.

The study domain is meshed uniformly with cells of 1-cm² and a time step of 0.01 s. This is a very small time and space scale. However, this small scale allows us to be consistent in terms of both error and physical descriptions of a fire spread thus achieving a precise analysis of simulation results.

The propagation domain consists of a cellular model where each future cell temperature is calculated using the current cell temperature and temperatures of the cardinal neighbors.

2.3.4. The implicit solution

Implicit methods are typically more stable than explicit meth-
ods and allow larger time steps thus reducing execution times.361The physical model (6a-f) solved by the Implicit Method leads Q5
to the following difference equation:363

$$T_{i,j}^{n+1} = a'(T_{i-1,j}^{n+1} + T_{i+1,j}^{n+1}) + b'(T_{i,j-1}^{n+1} + T_{i,j+1}^{n+1}) + c'Q\left(\frac{\partial\sigma_{v}}{\partial t}\right)_{i,j}^{n}$$

$$+ d'T_{i,j}^{n} + e'$$
(3b) 368

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\begin{split} &\delta_{\chi} \; (\mathbf{s}_{\chi}, \, \mathbf{e}, \, \mathbf{x}_{\chi}) : \\ & \textbf{For each cell } i \in D \text{ Do} \\ & \textbf{If}(\mathbf{s}_{ci}. \text{phase} == "passive") \; \textbf{Then} \\ & \text{remove } \mathbf{c}_i \; \textbf{from D} \\ & \textbf{Endif} \\ & \textbf{If}(\mathbf{s}_{ci}. \text{phase} == "testing") \; \textbf{Then} \\ & \textbf{If} \; (\texttt{ci.m} == \texttt{K} \; \texttt{OR} \; \texttt{ci.m} == \texttt{O} \; \texttt{OR} \; \texttt{ci.n} == \texttt{O} \; \texttt{OR} \; \texttt{ci.n} == \texttt{L}) \; \textbf{Then} \\ & \textbf{s}_{ci}. \text{phase} == "non_testing" \\ & \textbf{Else} \\ & \textbf{If}(\left| s_{ci}.T_{i,j}^{k+1} - s_{ci}.T_{i,j}^k \right| > \theta \; \textbf{)Then} \\ & \textbf{s}_{ci}. \text{phase} == "non_testing" \\ & \textbf{add} \; \texttt{neighboring cells} \; \mathbf{c}_p \; \texttt{to} \; \texttt{D}, \; \texttt{with} \; p \in N_{ci} \\ & \textbf{EndIf} \\ & \textbf{EndIf} \\ & \textbf{EndIf} \end{split}
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EndFor

where k is the iteration step. The coefficients a', b', c', d'and e' depend on the time step and on the mesh size considered.

The solution is calculated at each time step (of 0.1 s) using the iterative method of Jacobi (Sibony and Mardon, 1988) for which the convergence condition (3a) is used to pass on to the next time step. As long as all the whole temperatures calculated between two successive iterations are not less than an ε (10^{-3} K for instance), the simulation clock is not incremented.

In this instance, the problem could be solved with a Low
Up decomposition. However, to end up with a CA structure,
the Jacobi method is used. Hence, performance metrics can
be compared with other explicit and quantization-based CA
structures.

383 2.3.5. Dynamic structure cellular automata solution

To focus the simulation on active cells, we use the basic prin-384 ciples exposed in (Zeigler et al., 2000) to predict whether a cell 385 will possibly change state or will definitely be left unchanged 386 in a next global state transition: "a cell will not change state 387 if none of its neighboring cells changed state at the current 388 state transition time". Nevertheless, to obtain optimum per-389 formance the entire set of cells cannot be tested. Thereby, an 390 algorithm, which tests only the neighborhood of the active 391 bordering cells of a propagation domain, has been defined for 392 this type of phenomena. We specify here a DSCA as a dynamic 393 structure discrete-time network embedding initial ignitions. 394 This DSCA is used here only to track active cells (adding and 395 removing them from the active set). 396

As depicted in Fig. 4, the activity tracking algorithm is 397 O6 located in the global transition function (δ_{χ}) of the DSCA, in 398 charge of the structure evolution of the cell space. ci.m and 399 ci.n correspond to the coordinates (m, n) of a cell c of reference 400 $i \in D$ (also abstractly named as ci). Sci.phase corresponds to the 401 phase of state $s \in S$ of a cell i. An activity state ('inactive', 'active' 402 and 'testing') is added to the cells. The activity state 'testing' is 403 used to track new activated components. Cells are considered 404 405 in 'testing' phases when located at the edge of the propagation domain, 'non_testing' when not tested at each state transition, 406

and '*passive*' when inactive. Remember that the specification of cell structures (neighborhood, transition functions, etc.) is statically pre-allocated.

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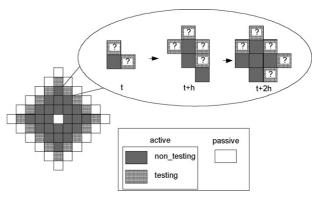
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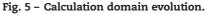
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A propagation example is sketched in Fig. 5 for cardinal and adjacent neighborhoods. In our algorithm, only cells at the leading edge of the fire test their neighborhood for cells that should become active. This minimizes the number of cells that must be tested for activation at each iteration of the simulation algorithm.

The result of the executive transition function of Fig. 4 depends on the state of the tested cells. Changes of cells states are checked between two time steps $(|s_{ci} \cdot T_{i,j}^{k+1} - s_{ci} \cdot T_{i,j}^{k}|)$, are compared to a threshold θ defined by the user. If $|s_{ci} \cdot T_{i,j}^{k+1} - s_{ci} \cdot T_{i,j}^{k}| > \theta$, then the cell's neighbors become active and are marked as 'testing', the cell itself is marked as 'non_testing'. Notice here the difference between a *quantum* and a *threshold*. A quantum consists of discretizing a state in equal finite values. Considering a particular cell, during the whole simulation, times of boundary crossings are computed continuously. Conversely, a threshold is used to determine if a cell turns active or not. If a cell's state is greater than a fixed threshold, the cell turns 'non_testing' and the threshold test is not used anymore, for that particular cell, during the simulation.





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2.3.6. Quantization solution

Quantization of ODEs has been introduced in (Zeigler et al., 431 2000; Bolduc and Vangheluwe, 2002; Nutaro, 2003). Instead of 432 generating approximate solutions at discrete points in time, 433 the solution is approximated by looking at significant changes 434 in the system's state. Efficiency and stability of this discretiza-435 tion technique are discussed in (Nutaro and Zeigler, 2007). The 436 magnitude of change in the solution that is considered to be 437 significant is called an integration quantum (or quantum). A 438 quantum can be defined by 439

40
$$D = |\Phi^{n+1} - \Phi^n|$$
 (4)

where D is the desired change in the solution at each step of the computation and ϕ^{n+1} and ϕ^n are two numerical approximations of the continuous function $\phi(t)$ representing a time invariant process.

To illustrate the basic elements of quantized integration
methods, a quantized integration scheme for solving a single
ODE can be constructed using the explicit Euler formulae

$$\Phi^{n+1} = \Phi^n + \Delta t \cdot f(\Phi^n). \tag{5}$$

The time required for a quantum change to occur is approx-imated by

451
$$\Delta t = \frac{D}{|f(\Phi^n)|}$$
(6)

452 If $f(\Phi^n) = 0$, then $\Delta t \to \infty$, which indicates that an equilib-453 rium state has been reached.

The quantized integration scheme is constructed by substituting Eq. (6) into Eq. (5) and keeping track of the sign of
the derivative to ensure that the solution moves in the proper
direction. This gives the system

458
$$\Phi^{n+1} = \Phi^n + D \cdot \text{sign}(f(\Phi^n))$$
 (7)

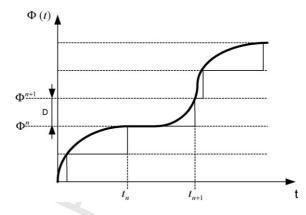
459 which approximates successive values of the continuous sys-460 tem. The time $t_{n+1} \in \Re$ of approximated states is given by

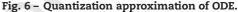
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$$t_{n+1} = t_n + \frac{d}{|f(\Phi^n)|}$$
 (8)

An approximation example of the function $\Phi(t)$ is sketched in Fig. 6. One can notice that for a continuous time base, the number of computations needed to approximate the curve $\Phi(t)$ can be reduced, even more when the latter changes slowly during time.

Eqs. (7) and (8) constitute a quantized integrator. In space,
and when applied to PDEs, using such integrators allows to
track activity, that is, changes in time in one point of the space.
Then, each integrator can be implemented as an atomic model
DEVS.

472 Quantization of Eq. (1a) consists of discretizing the term of
473 thermal exchanges, the diffusion term and the reaction term.
474 Then, in every cell a quantized integrator [cf. Eqs. (7) and (8)]
475 calculates the temperature of the cell according to the value
476 of: (1) the term of thermal exchanges (which is discretized), (2)
477 the term of diffusion (which is discretized), and (3) the reaction
478 term (which is quantized).





The discretization of the diffusion term in space using center differences leads to:

$$S\left(\frac{\partial^2 T}{\partial x^2} + \frac{\partial^2 T}{\partial y^2}\right)$$
 48

$$\approx K\left(\frac{T_{i,j-1}^{n} - 2T_{i,j}^{n} + T_{i,j+1}^{n}}{(\Delta x)^{2}} + \frac{T_{i,j-1}^{n} - 2T_{i,j}^{n} + T_{i,j+1}^{n}}{(\Delta y)^{2}}\right)$$
(9)

The term of thermal exchanges can be directly discretized:

$$K(T - T_a) = K(T_{i,i}^n - T_a)$$

$$(10)$$

When the cell is burning, the energy $Q(\partial \sigma_v / \partial t)$ released by the combustion depends directly on the exponential decrease of the fuel mass:

$$\sigma^{\nu} = Q \sigma^{\nu^{0}} e^{-\alpha(t-t_{ig})}, \quad \text{if } T \ge T_{ig}$$
(11)

By knowing that the fuel mass will decrease only by one quantum D, we obtain:

$$\sigma_{\nu} - D = Q\sigma_{\nu 0} \ e^{-\alpha t_a} \tag{12}$$

Taking the logarithm, we obtain the time advance t_a:

$$t_a = \frac{1}{\alpha} \ln \frac{\sigma_\nu - D}{Q\sigma_{\nu 0}} \tag{13}$$

Every cell is a coupled model composed of two atomic models: one model implements Eqs. (12) and (13) the other solves Eqs. (9) and (10). Fig. 7 describes this coupled model (CM) which is composed of an atomic model of Fuel Decrease (AM_{FD}) and of an atomic model of Thermal Exchanges and Diffusion (AM_{ED}).

An atomic model AM_{ED} is connected to its four cardinal neighbors through eight ports. Cells' temperatures are sent and received through these ports. An atomic model AM_{FD} describes the evolution of the fuel mass decrease when the cell is burning. After the reception of the cell's temperature (contained in AM_{ED}), if the cell is in combustion, the external transition function of AM_{FD} will compute the time of next quantum boundary crossing according to the time advance (13). At each quantum crossing, computed by an internal tran479

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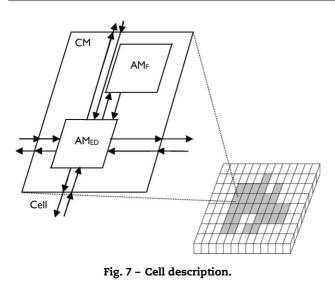
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sition, influenced cells are updated immediately. Finally, the
derivative of the temperature, calculated by AM_{ED}, according
to the neighboring cells' temperatures and to the fuel mass, is
integrated using Eqs. (7) and (8).

3. Simulation results

To validate the simulation results, experimental fires have 514 been conducted on Pinus Pinaster litter, in a closed room 515 without any air motion, at the INRA (Institut National de 516 la Recherche Agronomique) laboratory near Avignon, France 517 (Balbi et al., 1998). These experiments have been performed 518 in order to observe fire spread for point-ignition fires under 519 no slope and no wind conditions. The experimental appa-520 521 ratus was composed of a one square meter aluminum plate protected by sand. A porous fuel bed was used, made up of 522 pure oven dried pine needles spread as evenly as possible on 523 the total area of the combustion table (in order to obtain a 524 homogeneous structure). The experiment consisted in ignit-525 ing a point using alcohol. The resulting spread of the flame 526 across the needles has been closely observed with a camera 527 and thermocouples. 528

529 3.1. Particularity and validation of the different 530 methods

Fig. 8 depicts a visual comparison between the simulated 531 fire fronts (using explicit, implicit and quantization meth-532 ods) and experimental fire fronts (represented by dots). The 533 experimental fire front corresponds to pictures of actual fire 534 spread positions under laboratory experiments on pine needle 535 substrates. Explicit, implicit and quantization solutions allow 536 simulating precisely the fire front positions. The quantized 537 simulation focuses its computational effort on the active cells. 538 The explicit and implicit CA do not; they do the same amount 539 of work to simulate each cell, regardless of its rate of change. 540

Fig. 9 depicts the various evolutions of the simulated fire
spread for many quantum sizes. For large quantum sizes, a
qualitative simulation can be achieved; although the propagation is delayed, the circular shape of the fire front is conserved.

Besides, for an actual propagation of 221 s, an execution time of 10 s is obtained on a 1.5 GHz *Pentium M Centrino* (this computer is used for all experiments described in this paper). Qualitative simulations can be used to reduce the testing phase of model development (by execution time reductions), as well as to improve the rapidity of predictive fire spread simulations. These simulations are usually used by fire fighter command centers to predict *where* will spread the fire. They do not care *when*, the only thing they have to know is *where* the fire will spread to set fire fighters and vehicles.

Fig. 10 depicts the focus of both quantized and DSCA simulations on active cells. The fire fronts are represented by lines. Both simulations adaptively track the fire front evolutions by changing the set of active cells as the simulation is executed. In Fig. 10, the result of both methods is equivalent for focusing on active cells.

Fig. 11 depicts how the quantized simulation focuses on fire fronts for different thresholds. One can notice that few errors are introduced by truncating information, even when the threshold is relatively large (up to 30 K). However, for a quantum of 40 K (and higher), the fire front becomes noticeably distorted.

3.2. Quantization method

The fuel mass decrease simulated by the atomic model AM_{FD} is represented in Fig. 12. The end of this negative exponential curve pinpoints the interest of using a discrete-event simulation to pass directly between significant (as defined by the integration quanta) values of the continuous state. This allows reducing the number of state transitions. However, the quantum size of this atomic model has to be carefully chosen because of the important beginning decreasing slope of the exponential curve. A too big quantum size leads to significant errors. A quantum of 0.01 kg/m has been chosen for this model.

As Eq. (1a) does not have analytical solution, the quantization simulation results are visually validated through the laboratory experiment. Moreover, an average relative error is calculated against the explicit simulation results already validated through numerous studies (Balbi et al., 1998):

$$=\sum_{i=1}^{N} \frac{1 - (q_i/q_i^*)}{N}$$
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With N = number of cells, q_i = explicit value of cell i and q_i^* = numerical value of cell i.

Fig. 13 depicts the average relative error for different quantum sizes of the AM_{ED} atomic model, and the same experiment. This curve is almost linear. For very small quantum values, the error is constant. This means that the quantization solution is very close to the actual propagation. Fig. 13 depicts too the number of transitions (which is proportional to the execution time) of the quantization solution, according to different quantum sizes. Increasing the quantum size reduces the number of transitions. Moreover, until a quantum size of 5 K, the number of transitions decrease rapidly. For the quantization solution, a quantum size of 5 K is chosen in the rest of the paper, leading to an approximate error of 5%.

Fig. 14 compares execution times of the explicit, implicit, and quantization solutions, for different simulated domain

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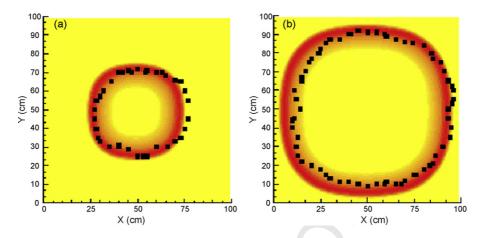


Fig. 8 – Comparisons at (a) 75 s and (b) 122 s between simulated (gray scale) and experimental front fires (dotted line). Both simulations have been obtained by quantization model (D = 1 K), implicit CA ($\Delta t = 0.1$ s) and explicit CA ($\Delta t = 0.01$ s).

sizes that result from using different numbers of cells (changing the resolution of the spatial discretization). Concerning the implicit solution, using a bigger time step (remember that we have a time step of 0.1 s for the implicit method and 0.01 s for the explicit one) allows to reduce execution times. However, quantization execution times are significantly smaller.

The good results obtained for execution times can be explained by looking at Fig. 15, which depicts the number of transitions of the different methods for different propagation domain sizes. Indeed, the quantization method greatly reduces the number of transitions.

3.3. Dynamic structure cellular automata

In the DSCA method, different quantum sizes can be chosen for both implicit and explicit methods. Errors, number of transitions and execution times of DSCA (implicit and explicit) are compared to CA (implicit and explicit).

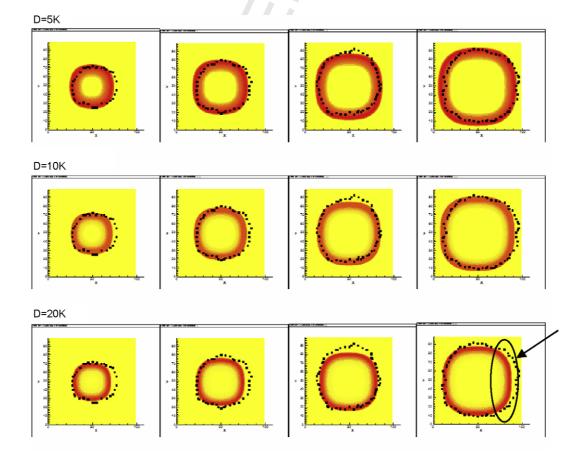


Fig. 9 - Comparison for various quantum sizes D between simulated (gray scale) and experimental front fires (dotted line).

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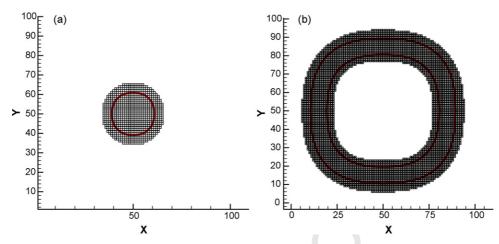


Fig. 10 – Focus of the quantization and DSCA simulations on active cells at: (a) 75 s and (b) 122 s (quantization method: D=1 K, implicit DSCA: $\Delta t=0.1$ s and $\theta=1$ K, and explicit DSCA: $\Delta t=0.01$ s and $\theta=1$ K).

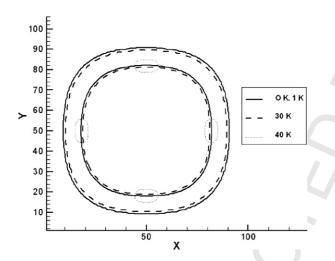


Fig. 11 – The DSCA explicit focus (explicit DSCA: $\Delta t = 0.1$ s).

616 3.3.1. Implicit method in dynamic structure cellular

617 automata

Fig. 16 depicts the average relative error obtained for different
threshold sizes. This error is linear and tends to zero for small
threshold sizes, thus exhibiting the precision of the method
for small thresholds. Fig. 16 depicts too the number of transi-

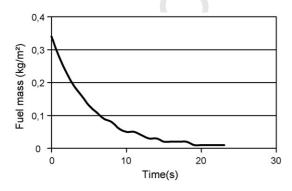


Fig. 12 – Fuel mass decrease using a discrete-event time base (quantization method, D = 0.01 kg/m).

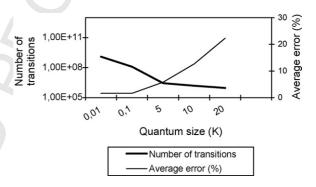


Fig. 13 – Number of transitions and error for different quantum sizes (quantization method).

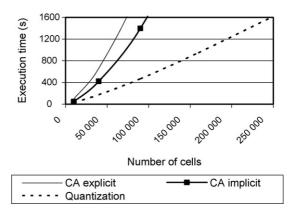


Fig. 14 – Execution times for different domain sizes (quantization model: D=5 K, implicit CA: $\Delta t=0.1$ s, explicit CA: $\Delta t=0.01$ s).

tions (which is proportional to the execution time) for different threshold sizes when simulating DSCA implicit schemes. We can notice that reducing the quantum size, the reduction in the number of transitions, and consequently in the execution time, is not as great as for the quantization method.

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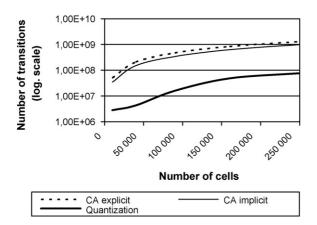


Fig. 15 – Number of transitions for different domain sizes (quantization model: D=5 K, implicit CA: $\Delta t=0.1$ s, explicit CA: $\Delta t=0.01$ s).

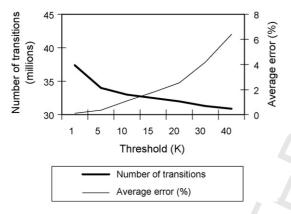


Fig. 16 – Number of transitions and error for different temperature quanta and 10,000 cells (implicit DSCA: $\Delta t = 0.1 s$).

Fig. 17 depicts the error of the DSCA explicit simulation. Here,

surprising results are obtained. Indeed, until a temperature

3.3.2. Explicit method in dynamic structure cellular automata

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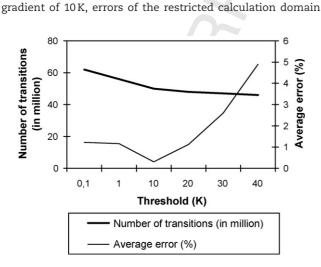
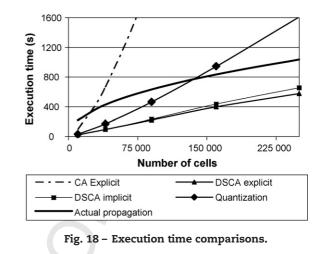


Fig. 17 – Number of transition and error for different quantum sizes and 10,000 cells (explicit DSCA: $\Delta t = 0.01$ s).



balance those induced when all cells of the calculation domain compute their states. However, very small errors are induced. Fig. 17 depicts too the number of transitions (which is proportional to the execution time) for different threshold sizes when simulating DSCA explicit schemes. As for DSCA implicit schemes, we can notice that reducing the threshold size does not reduce the number of transitions as effectively as the quantization method. More over, when compare to the DSCA implicit scheme, the reduction of transitions decreases more slowly.

4. Discussion

For different numbers of cells, Fig. 18 compares execution times of all methods (except the CA implicit one which is approximately similar to the CA explicit one). To have approximately the same error, a quantum of 5K is taken for the quantization method and thresholds of 10K for both implicit and explicit DSCA ones. When compared to the actual propagation time, only the DSCA methods (explicit and implicit) give execution times that could satisfy a real time constraint. Indeed, in a simulator prediction perspective, it would be better to predict fire positions quicker than the fire propagates in the reality. Furthermore, both of the DSCA methods provide approximately the same execution time results.

Above 150,000 cells, the execution time of the quantization method exceeds the actual propagation time. Above this number, the number of active cells is too high to be managed by scheduler data structures of discrete-event approaches. This effect is shown in Fig. 18. Nonetheless, the quantization method necessitates less computations than the non-adaptive explicit and implicit methods.

Fig. 19 describes the rate of spread of the fire front. After the ignition, fire spread exhibit a transient and then a steady state corresponding to a constant rate of spread.

The evolution of the number of active cells during the simulation for different thresholds is presented in Fig. 20. We notice that even with a threshold of 1K the number of active cells never exceeds 5000 cells i.e. less than one half of the total number of cells. Under 50 s fire speed grows quickly, this

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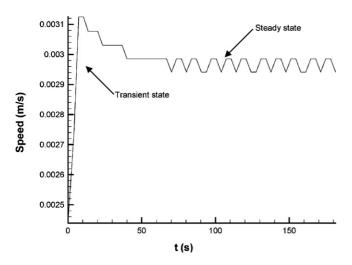
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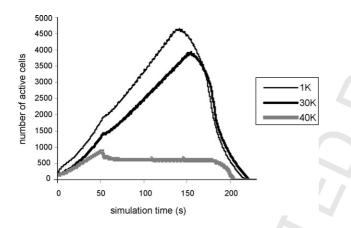
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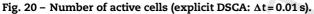
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is the transient state. Above 50s, fire front speed reaches a steady state. This explains the change of slope at 50s for the number of active cells. Above 150 s, the number of active cells decreases because fire reaches the plate borders.

Regarding the activity state of natural propagations the latter can be stationary or non-stationary (Coquillard, 1995). Qualitative and quantitative analysis of the activity of a natural phenomenon is a (or the?) fundamental (and usually neglected) modeling phase to understand the whole dynamics of an ecological system.

5. Conclusions

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The activity paradigm has been applied here to a complex 678 system of fire spread. Distribution of energy in space has 679 been detected through well-defined structures. Complexity 680 of energy exchanges and transformations has been defined 681 modularly and hierarchically. This new paradigm proves to be 682 well adapted to spatial ecological propagations (of trees, alga, 683 fishes, etc.). Its genericity can be experimented now on other 684 energy/information/material flows. 685

At the computer modeling and simulation levels, we have demonstrated that significant reductions of execution times can be obtained by naturally focusing computations on active 688

cells of a large-scale cellular model. Two different methods have been introduced. The DSCA method allows the modeler to design tracking mechanisms at the modeling level, truncating information. On the other hand, the quantization method is a technique for discretizing the state of a continuous system. DSCA results proved to be better than the quantization ones for small errors, but the quantization method allows for qualitative simulation that preserves the fire shape and greatly reduces the execution time.

A new paradigm has been applied for building simulations that adaptively match their execution strategy to suit the dynamics of the model that is being simulated. Advantages of using this paradigm for modeling and simulating components of environmental phenomena can be summarized as follows:

- 1. A coherent formal and operational framework is provided to build computational environmental models of continuous and discrete systems. Both discrete-time and discrete-event driven constructions can be achieved.
- 2. Knowledge about environmental models can be organized within the DEVS-scheme (Vasconcelos, 1993), trough taxonomy, decompositions and couplings.
- Tracking mechanisms are made simple and explicit. Direct, 3. faithful and intuitive mappings between Nature and computers are defined.
- Both simulation and models are made more efficient. A trade-off between error and execution time can be adjusted to fit modeling objectives.

The proposed techniques have significant potential that 716 has been demonstrated empirically here and elsewhere (e.g., 717 in simulation: Muzy and Nutaro, 2005 and formal modeling: 718 Muzy et al., 2004); the method merits further empirical and 719 formal investigation to verify, validate and extend its utility. 720

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