

COMP 522 – Modeling and Simulation by
Professor Hans Vangheluwe

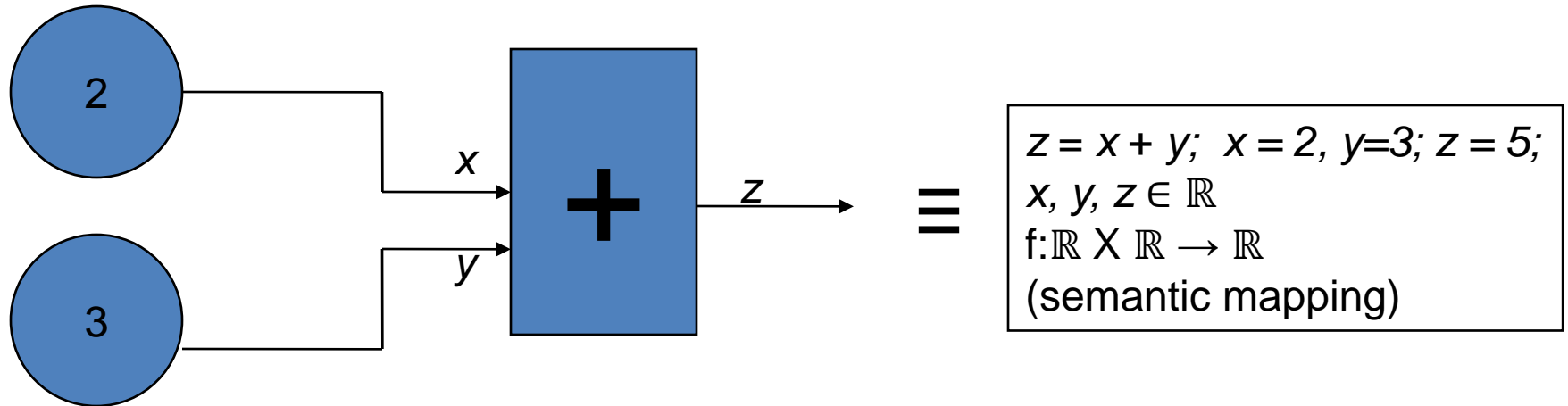
An optimizing compiler for hierarchical Causal
Block Diagrams. Application: the [PHYSBE](#)
[benchmark](#) model of the human circulatory
system.

Nurudeen Lameed
McGill University
Fall 2008

Contents

- Introduction - CBD
- Optimizing compiler.
- PHYSBE – Physiological simulation benchmark experiment.

Causal Block Diagram (CBD)



- A graph of connected operational blocks.
- Connections denote signals.
- Blocks may be algebraic (Adder, Product) or Time-delay based (Delay, Integrator, Derivatives). Order of blocks is important – cause & effect.

Causal Block Diagram (CBD)

- Concrete syntax (block-diagram) is transformed into abstract syntax.
- Abstract syntax transformed to semantic syntax and semantic mapping – the meaning of the graph (CBD).

Issues

- Non-varying computations are often recomputed adding to performance overheads.
- Non-trivial scientific problems usually involve intensive and large number of computations.
- Optimization must not change the meaning of a model. Still, optimization possible.

Opportunities for optimization: leveraging the dependency graph.

- Constant propagation may improve performance.
- Redundant computations may be eliminated - loop invariants; expressions may be separated into parts: constant, invariant and variable. Only variables need to be recomputed.
- Compiled code typically runs faster than interpreted code.

Examples:

- x, y are constants; $z = x + y$
for iteration = 1 to 60000
 $z.\text{signal}[\text{iteration}] = x + y$
- Optimized execution:
 $z.\text{signal}[0] = x + y$
for iteration = 2 to 60000
 $z.\text{signal}[\text{iteration}] = z.\text{signal}[0]$

Examples: Re-association

- We can exploit algebraic properties; e.g., addition is commutative ...
- x, y, z are constants; a, b are variables:
for iteration = 1 to 100000
 $s.\text{signal}[\text{iteration}] = x + y + z + a + b$
- Optimized execution:
 $\text{temp} = x + y + z$
 for iteration = 1 to 100000
 $s.\text{signal}[\text{iteration}] = \text{temp} + a + b$
- Savings: $2 * 100000 - 2$ additions

Optimizing compiler for CBD

- Transforms CBDs into some optimized C programs.
- CBDs may have cycles: uses optimized LAPACK library for solving systems of linear equations, where necessary.
- Redundant computations are eliminated without loss of accuracy.

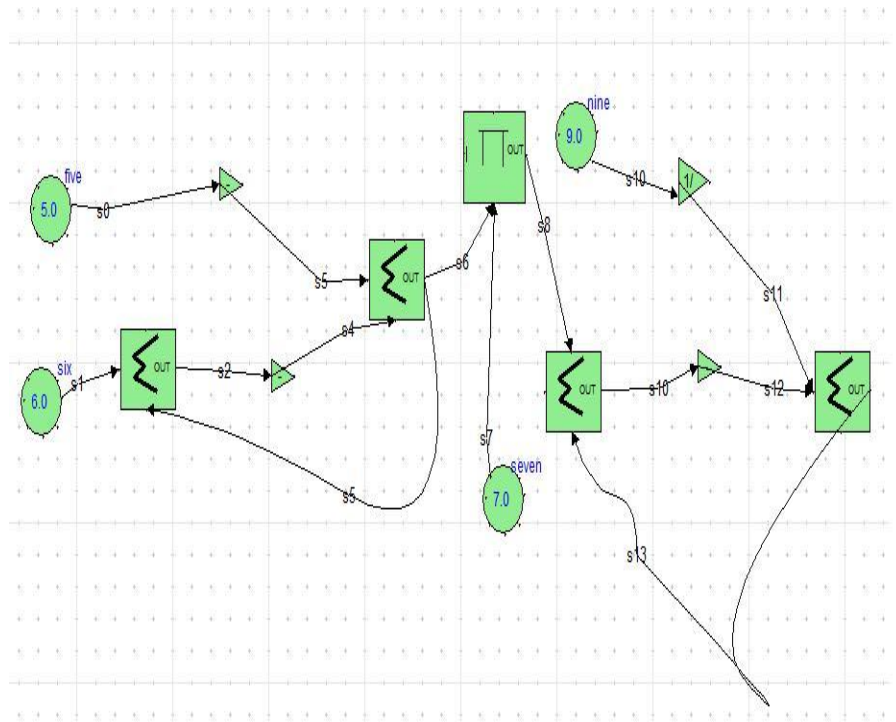
Model with 2 linear loops

```
result[1][0] = -5.0;
result[2][0] = 6.0;

/* solve the system of linear equations */
double _a1[9] = {1,-1,0,0,1,-1,1,0,1};
double _b1[3] = {0+6.0,0+result[1][0],0};
int ipiv_b1[3];
int _b1_res = clapack_dgesv(CblasRowMajor, 3, 1, _a1,
if (_b1_res != 0)
{
    printf("Matrix:_b1 Error code:: %d; cannot solve
    exit(1);
}
result[3][0] = _b1[0];
result[4][0] = _b1[1];
result[5][0] = _b1[2];
result[6][0] = 9.0;
result[7][0] = 7.0;
result[8][0] = 1/9.0;
result[9][0] = result[4][0]*7.0;

/* solve the system of linear equations */
double _a2[9] = {1,-1,0,0,1,-1,1,0,1};
double _b2[3] = {0+result[9][0],0+result[8][0],0};
int ipiv_b2[3];
int _b2_res = clapack_dgesv(CblasRowMajor, 3, 1, _a2,
if (_b2_res != 0)
{
    printf("Matrix:_b2 Error code:: %d; cannot solve
    exit(1);
}
result[10][0] = _b2[0];
result[11][0] = _b2[1];
result[12][0] = _b2[2];

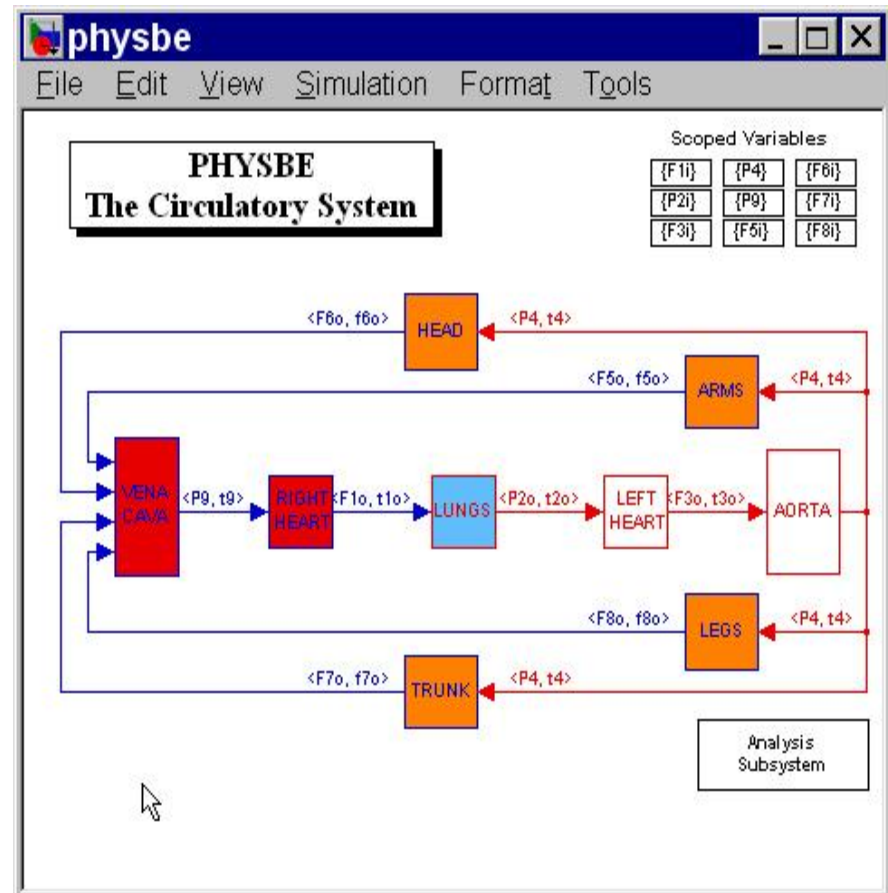
int i;
for (i = 1; i < N; ++i)
{
    result[0][i] = 5.0;
    result[1][i] = result[1][0];
    result[2][i] = 6.0;
```



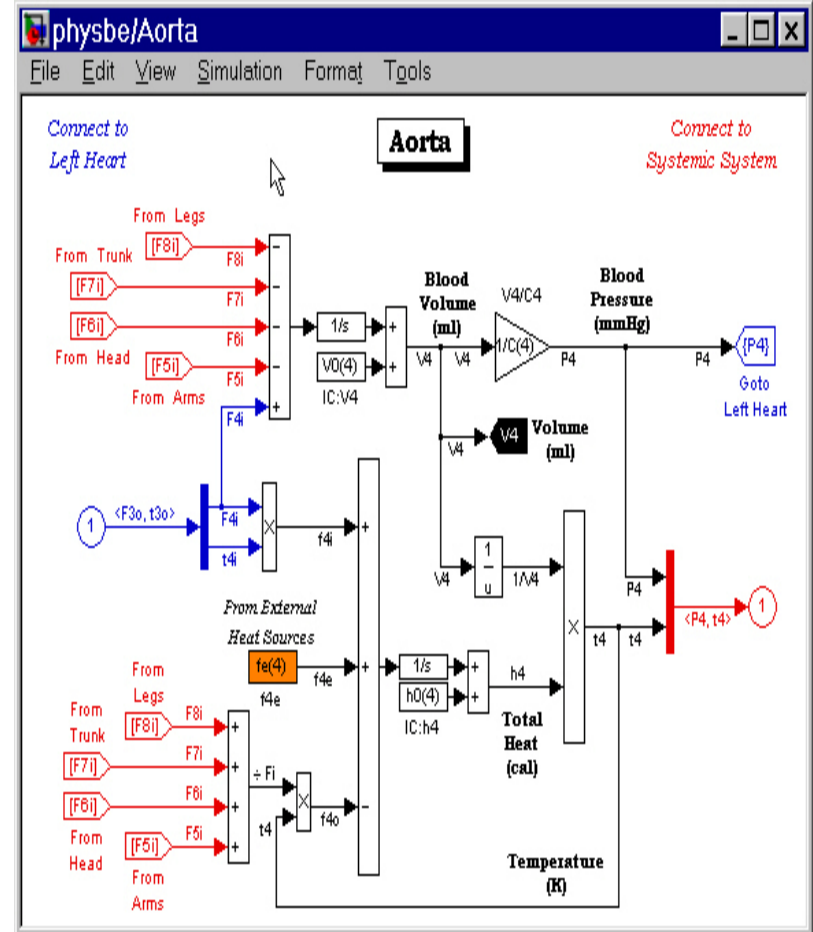
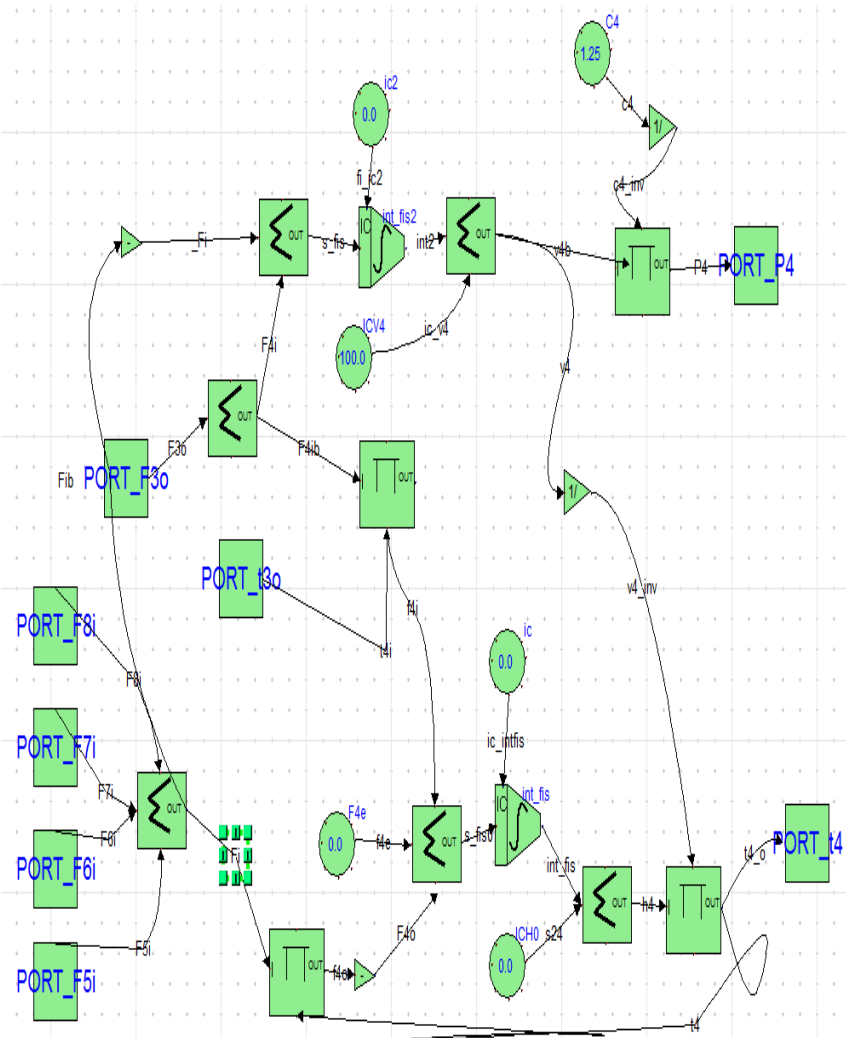
PHYSBE: A Physiological simulation benchmark

- A classical model of the human circulatory system (John McLeod, 1966).
- An example of a non-linear continuous system. Linearization through approximation.

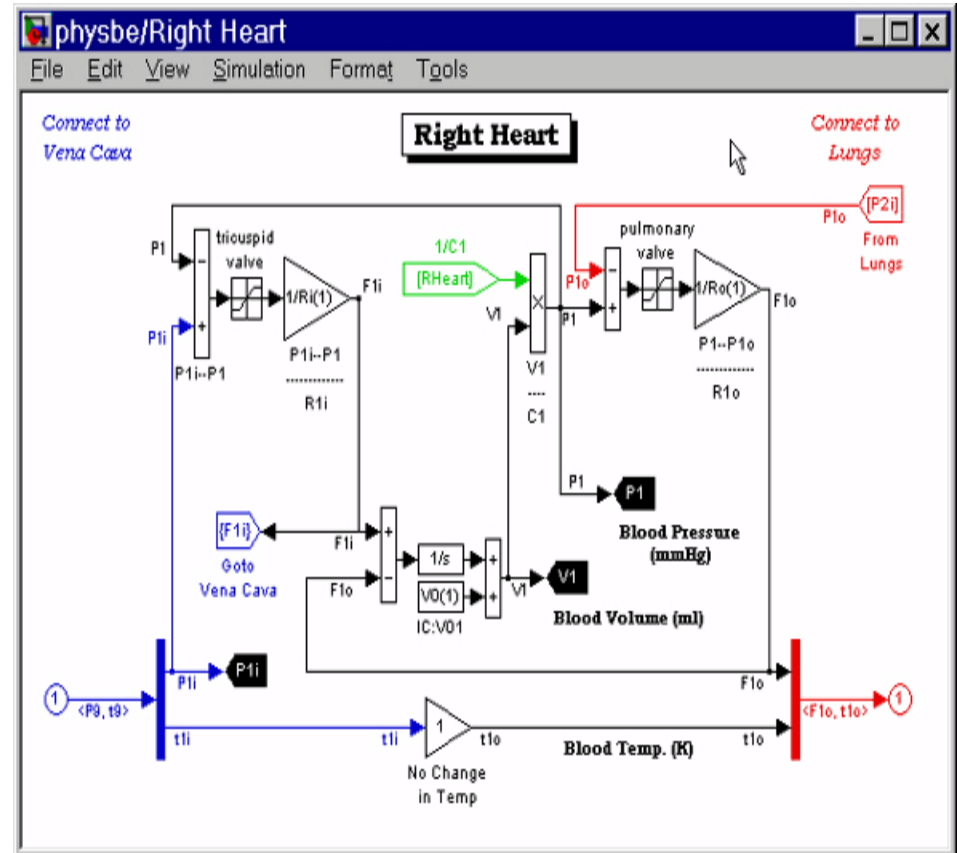
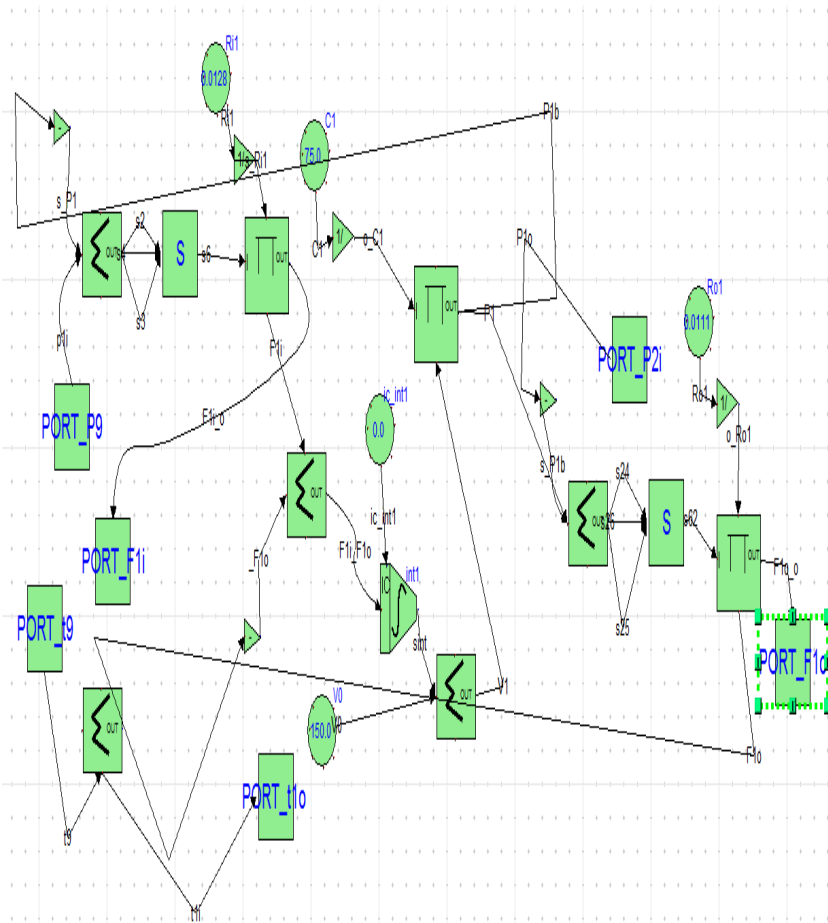
- The mathworks: Simulink



Aorta:

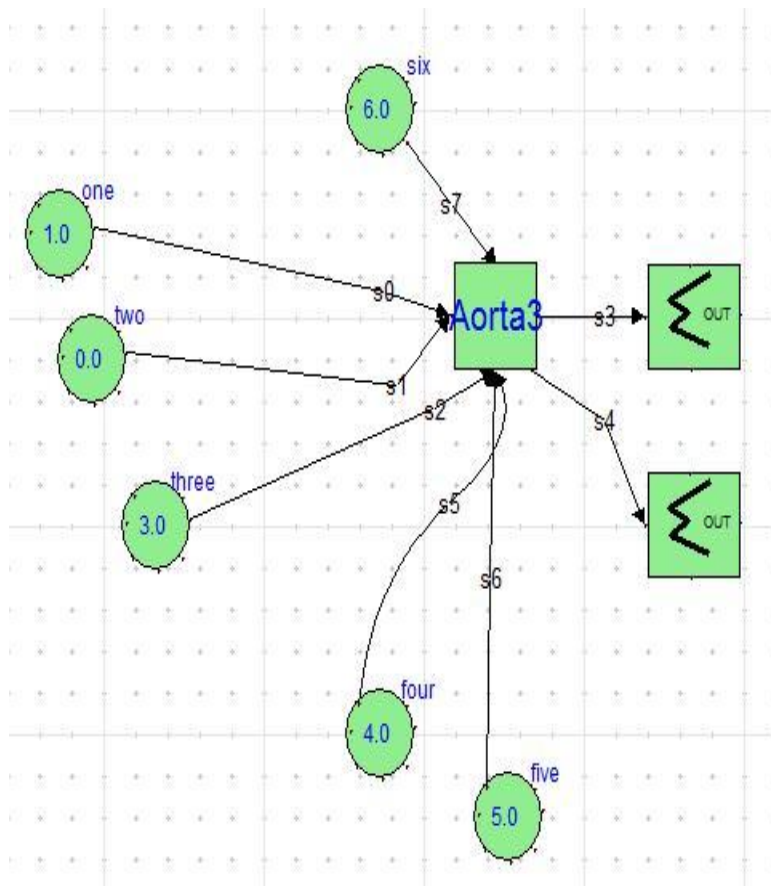


Right Heart:



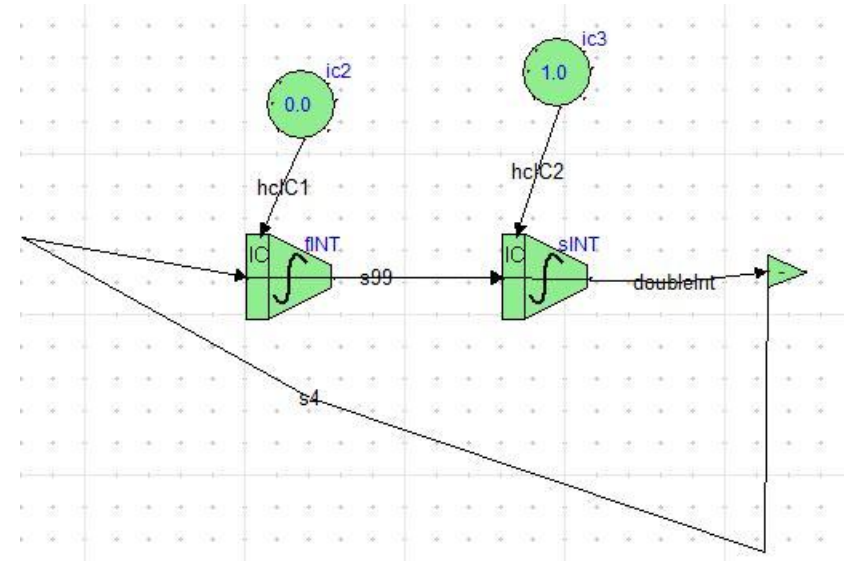
Generated C – code for Aorta

```
for (i = 1; i < N; ++i)
{
  result[0][i] = 1.0;
  result[1][i] = 0.0;
  result[2][i] = 3.0;
  result[3][i] = 4.0;
  result[4][i] = result[4][0];
  result[5][i] = 0.0;
  result[6][i] = 0.0;
  result[7][i] = result[7][i-1] + result[22][i-1] *0.01;
  result[8][i] = result[7][i]+0.0;
  result[9][i] = 0.0;
  result[10][i] = result[10][i-1] + result[24][i-1] *0.01;
  result[11][i] = 100.0;
  result[12][i] = result[10][i]+100.0;
  result[13][i] = 1/result[12][i];
  result[14][i] = result[8][i]*result[13][i];
  result[15][i] = result[4][0]*result[14][i];
  result[16][i] = -result[15][i];
  result[17][i] = 0.0;
  result[18][i] = 5.0;
  result[19][i] = result[19][0];
  result[20][i] = 6.0;
  result[21][i] = result[21][0];
  result[22][i] = result[16][i]+result[21][0]+0.0;
  result[23][i] = result[23][0];
  result[24][i] = result[24][0];
  result[25][i] = result[14][i];
  result[26][i] = 1.25;
  result[27][i] = result[27][0];
  result[28][i] = result[12][i]*result[27][0];
  result[29][i] = result[28][i];
}
```

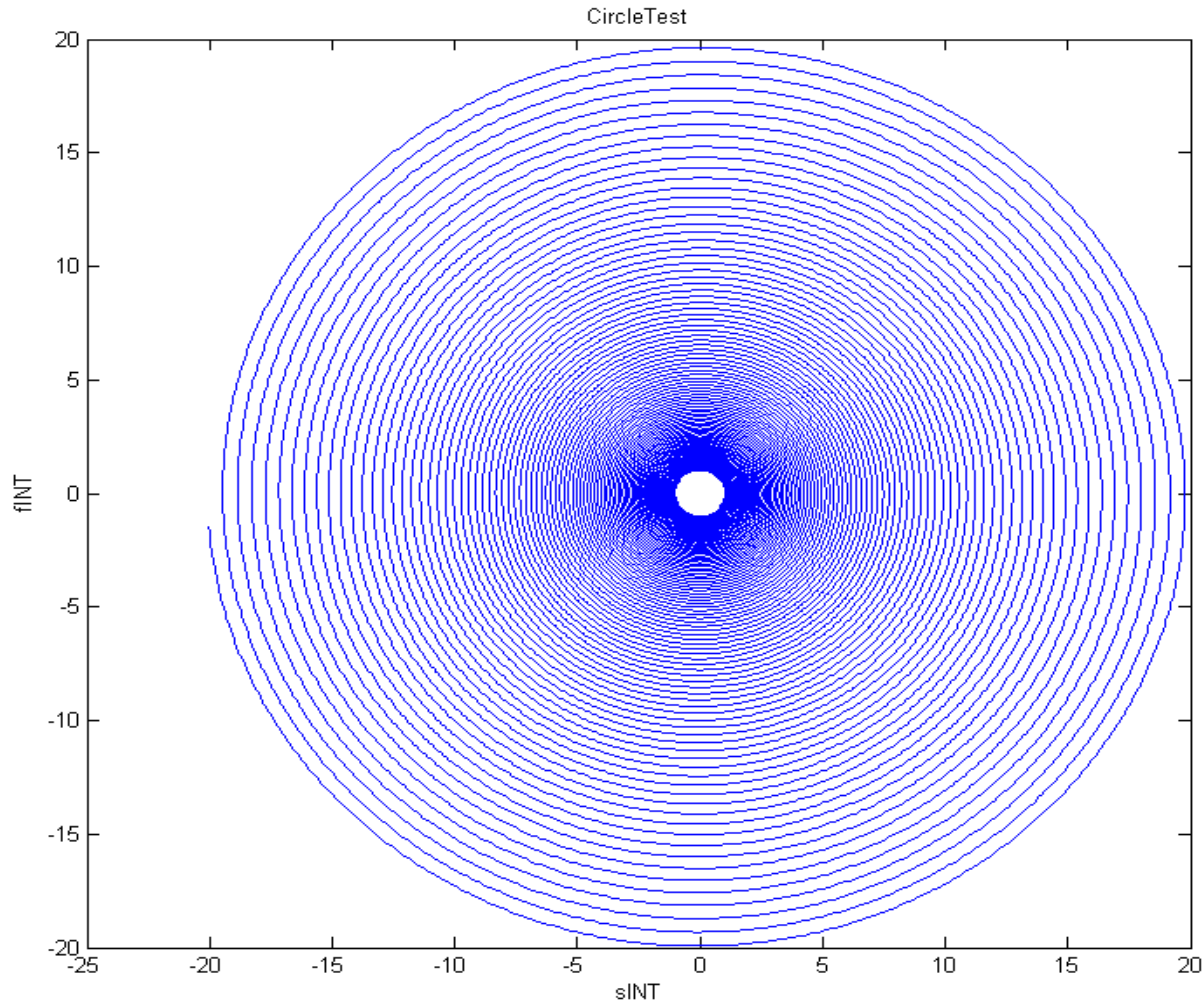


More ... Circle test

- The Next slide shows the result for circle test using 60,000 iterations.



Circle test result: 60000 iterations.



Conclusion

- Hierarchical ordering in CBD provides opportunities for optimizations.
- Elimination of redundant computations might result in performance gains.

Questions?