



Parallel DEVS & DEVSJAVA

Presented by
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MSDL



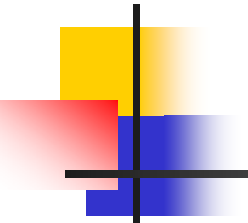
References

- Bernard P. Zengler, Herbert Praehofer, and Tag Gon Kim.
Theory of Modeling and Simulation.
Academic Press, 2000.
- Bernard P. Zengler, Hessam S. Sarjoughian.
Introduction to DEVS Modeling and Simulation with JAVA.
<http://www.acims.arizona.edu/SOFTWARE/software.shtml#DEVSJAVA>



Outline

- *Classic DEVS* quick review
- *Why Parallel DEVS*
- *Parallel DEVS* Formalism
 - Atomic Model
 - Coupled Model
 - Closure under Coupling
- *Parallel DEVS* Simulation Protocol
- DEVSJAVA

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Classic DEVS formalism

$$M = \langle X, S, Y, \delta_{int}, \delta_{ext}, \lambda, ta \rangle$$

Where

X is the set of **inputs**

S is a set of **states**

Y is the set of **outputs**

$\delta_{int} : S \rightarrow S$ is the internal transition function

$\delta_{ext} : Q \times X \rightarrow S$ is the **external transition function**, where

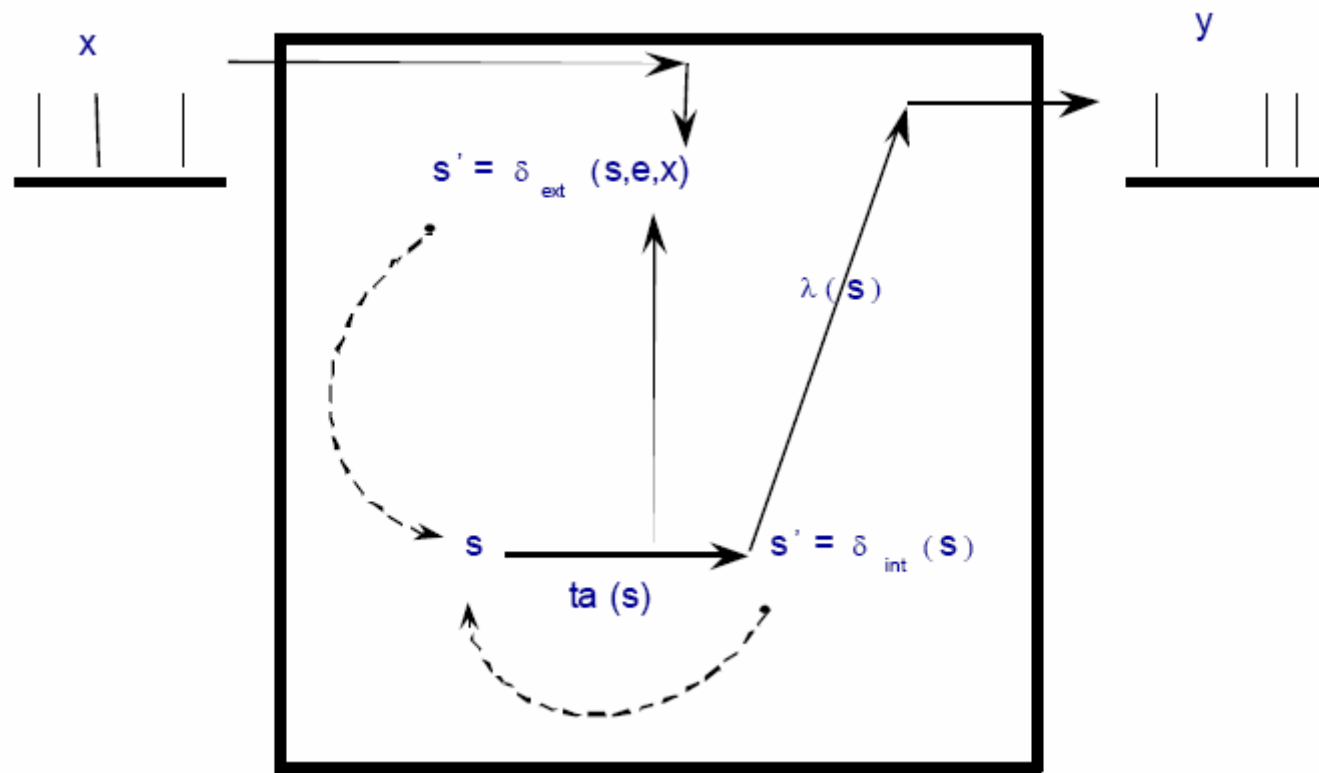
$Q = \{(s, e) \mid s \in S, 0 \leq e \leq ta(s)\}$ is the **total state** set

e is the **time elapsed** since last transition

$\lambda : S \rightarrow Y$ is the **output function**

$ta : S \rightarrow R_{0,\infty}^+$ is the **time advance** function

DEVS in action






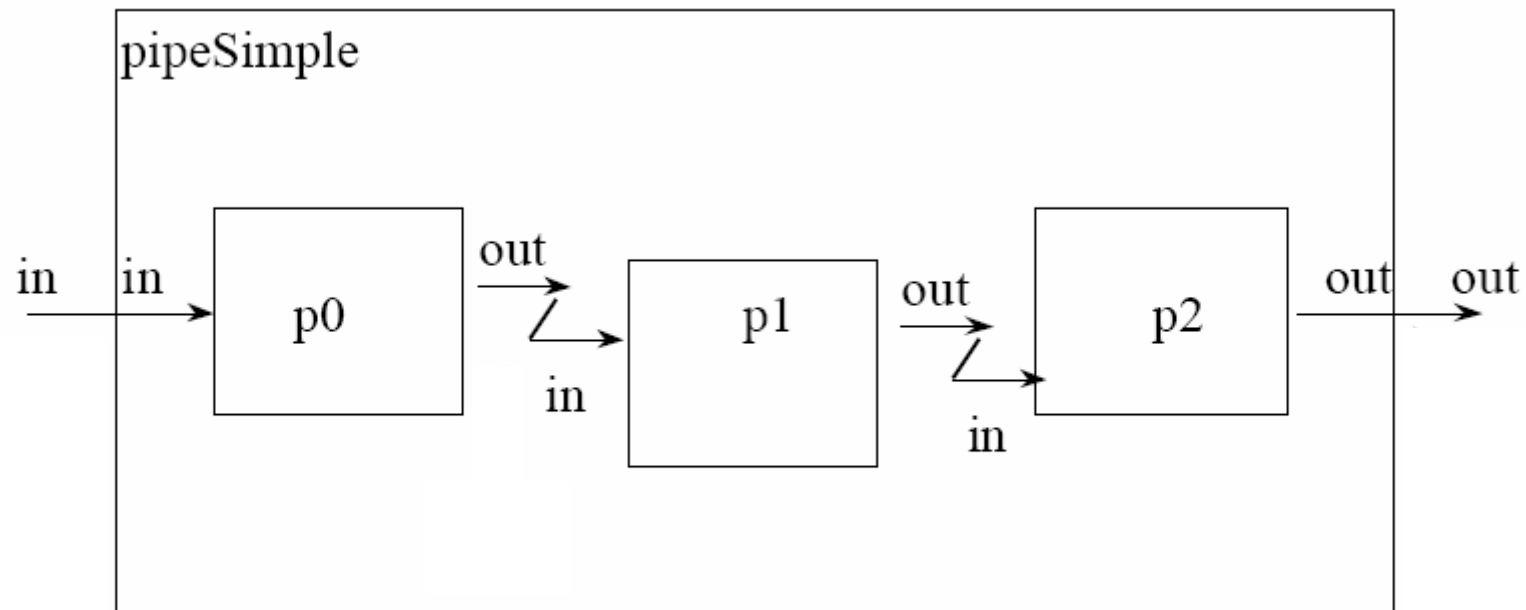
Classic DEVS Coupled Model

$$N = \langle X, Y, D, \{M_d | d \in D\}, EIC, EOC, IC, Select \rangle$$

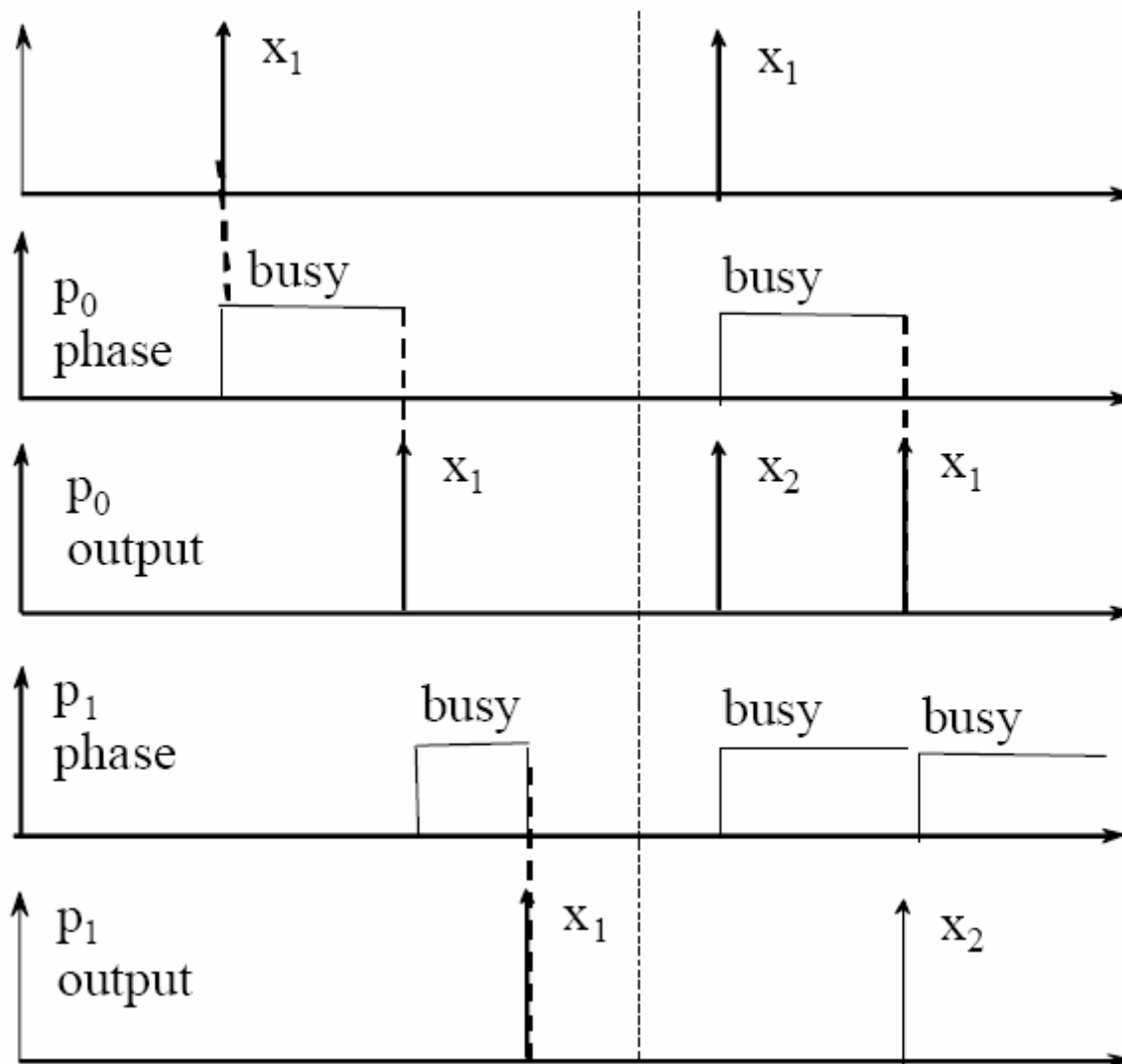
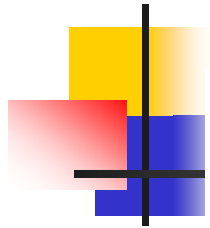
- $X = \{(p, v) | p \in IPorts, v \in X_p\}$ is the set of input ports and values
- $Y = \{(p, v) | p \in OPorts, v \in Y_p\}$ is the set of output ports and values
- D : the set of the components names.
- M_d : component DEVS models
- EIC : external input coupling connects external inputs to component inputs
- EOC : external output coupling connects component outputs to external outputs
- IC : internal coupling connects component outputs to component inputs
- $Select : 2^D - \{\} \rightarrow D$, the tie-breaking function for imminent components

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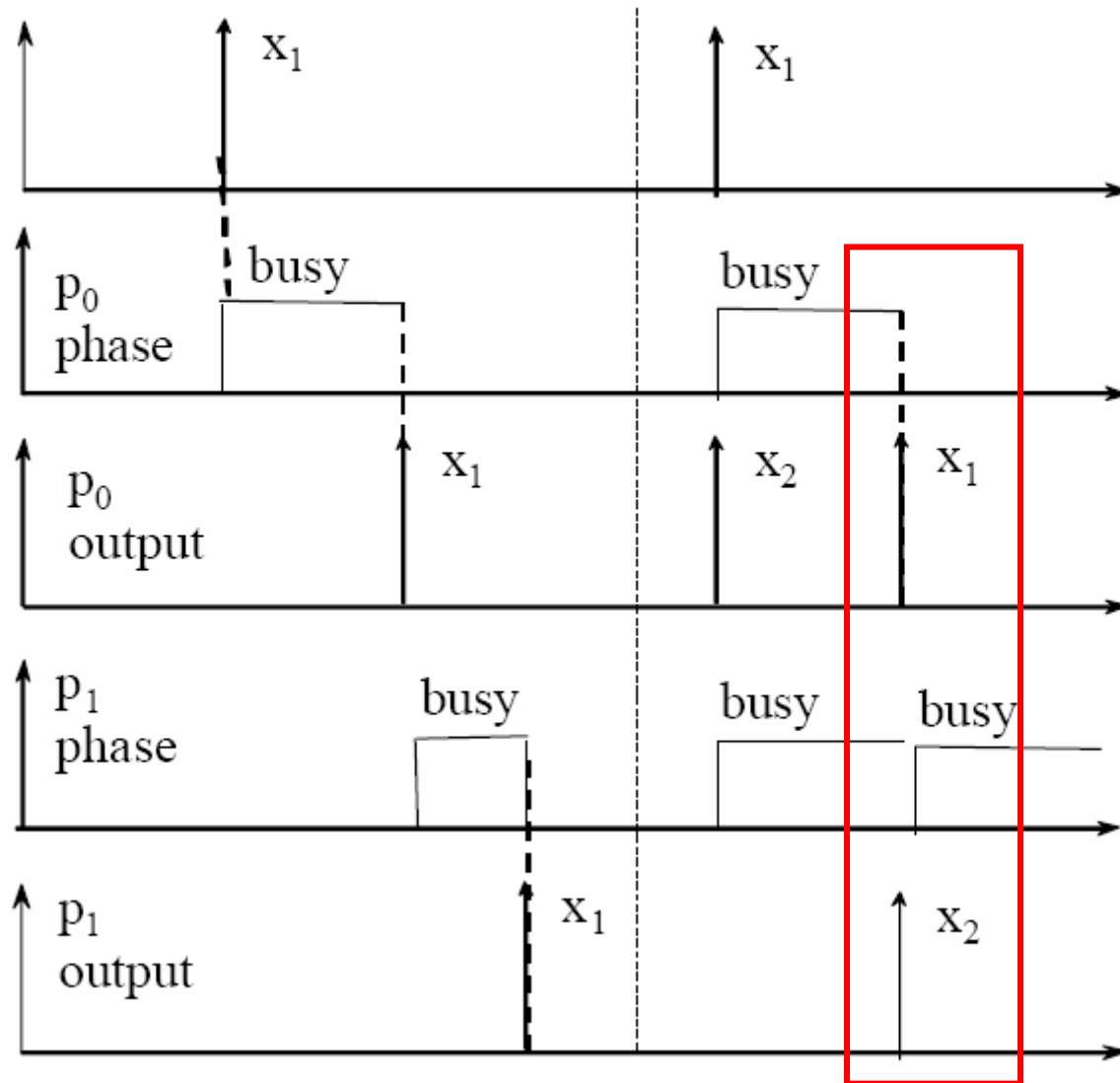
Simple Pipeline model



In Action



Simultaneous events



Q?

For p1 which one is correct:

$\delta_{\text{int}} \rightarrow \delta_{\text{ext}}$

or

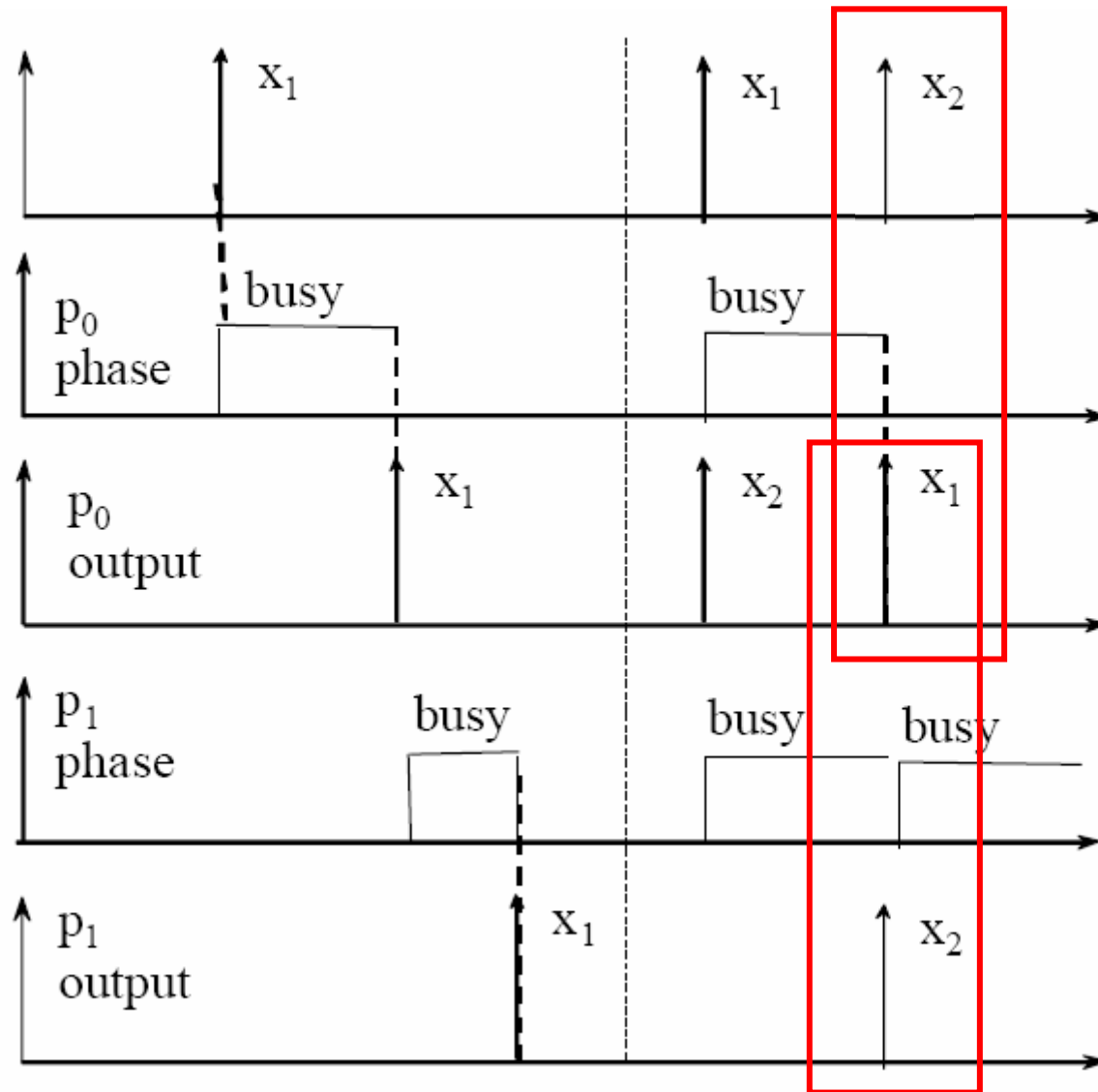
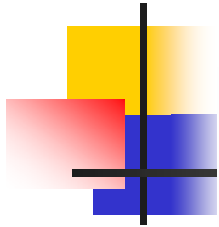
$\delta_{\text{ext}} \rightarrow \delta_{\text{int}}$



Indirect control

- In **Classic DEVS**, only one would be chosen to execute by **Select function**.
 - Select: $s \rightarrow p1$ internal-transition-first
 - Select: $s \rightarrow p0$ external-transition-first

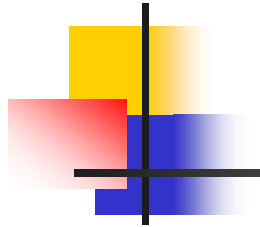
If there's a feedback...





Lose input anyway

- In **Classic DEVS**, always make the same choice among imminent components.
 - Select: $s \rightarrow p_0|p_1$ $p_0|p_1$ loses input



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Parallel DEVS Atomic Model

$$DEVS = (X_M, Y_M, S, \delta_{ext}, \delta_{int}, \delta_{con}, \lambda, ta)$$

where

$X_M = \{(p, v) \mid p \in IPorts, v \in Xp\}$ is the set of *input ports and values*;

$Y_M = \{(p, v) \mid p \in OPorts, v \in Yp\}$ is the set of *output ports and values*;

S is the set of sequential states;

$\delta_{ext} : Q \times X_M^b \rightarrow S$ is the *external state transition function*;

$\delta_{int} : S \rightarrow S$ is the *internal state transition function*;

$\delta_{con} : S \times X_M^b \rightarrow S$ is the *confluent transition function*;

$\lambda : S \rightarrow Y^b$ is the *output function*;

$ta : S \rightarrow R_0^+ \cup \infty$ is the *time advance function*;

With $Q := \{(s, e) \mid s \in S, 0 \leq e \leq ta(s)\}$ the set of *total states*.

X_b is a set of bags over elements in X .



Extensions of Classic DEVS

- Allowing **bags** of inputs to the external function
 - Inputs may arrive in any order
 - Inputs with the same identity may arrive from one or more sources
- Introducing **confluent transition function**
 - Localize **collision** tie-breaking control



Confluent Transition Function

- Collision: $e = ta(s)$
- Classic DEVS: by **Select** function, at coupled model level – Global decision
- Parallel DEVS: by δ_{con} , to each individual component – Local decision
 - Default: $con(s,x) = ext(int(s),0,x)$
 - Or: $con(s,x) = int(ext(s,ta(s),x))$



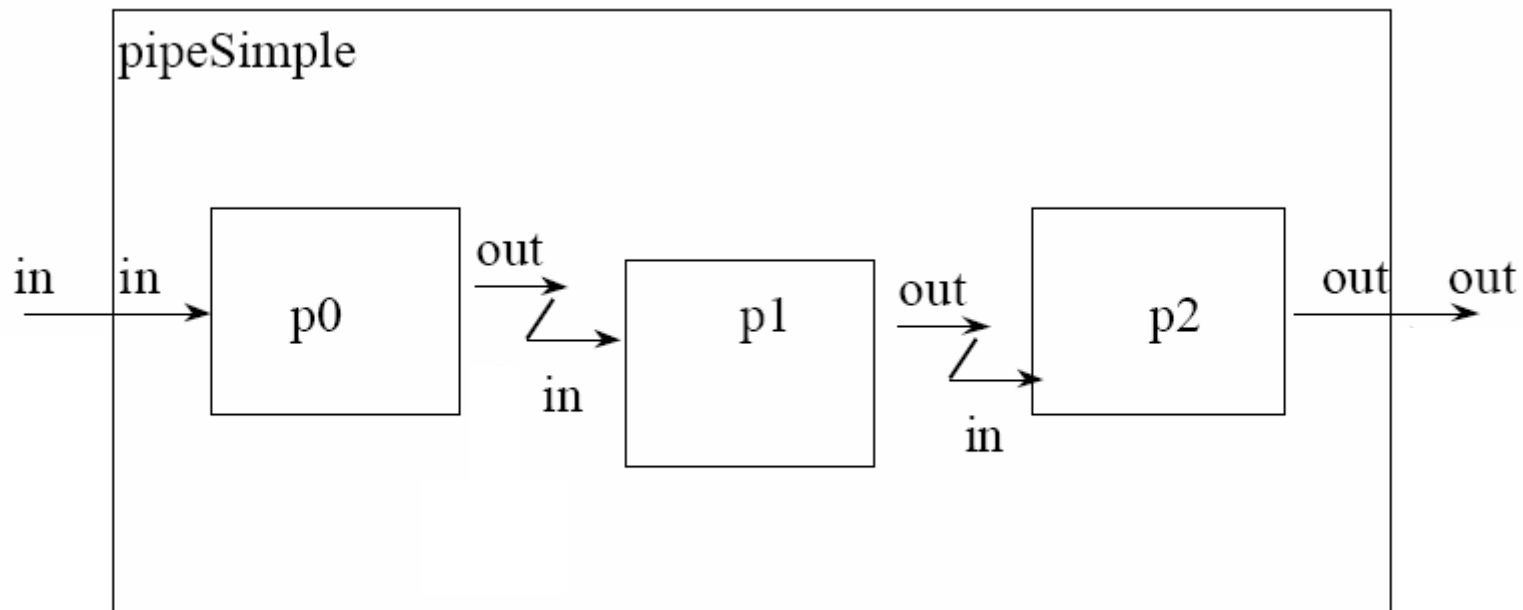
Parallel DEVS Coupled Model

$$N = \langle X, Y, D, \{M_d\}, \{I_d\}, \{Z_{i,d}\} \rangle$$

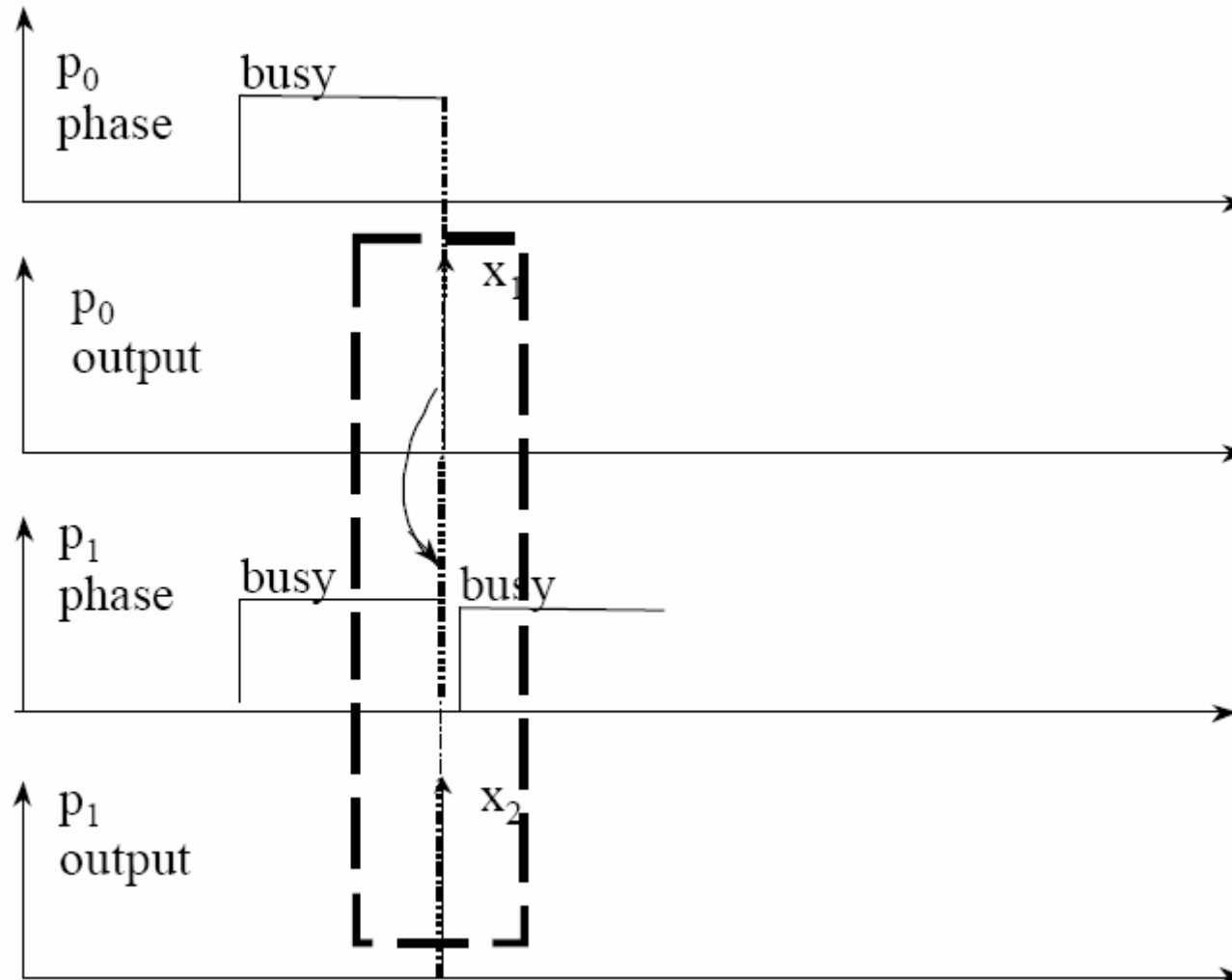
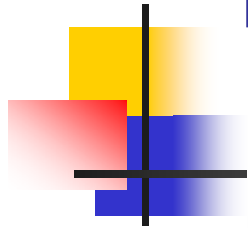
- Identical to Classic DEVS, except for the absence of the *Select* function
 - X : a set of input events
 - Y : a set of output events
 - D : a set of component references
 - M_d : a *Parallel DEVS* model, for each $d \in D$
 - I_d : a set of influencers of d , $I_d \subseteq D \cup \{N\}, d \notin I_d$
for each $d \in D \cup \{N\}$
 - $Z_{i,d}$: a set of output-to-input translation functions, for each $i \in I_d$



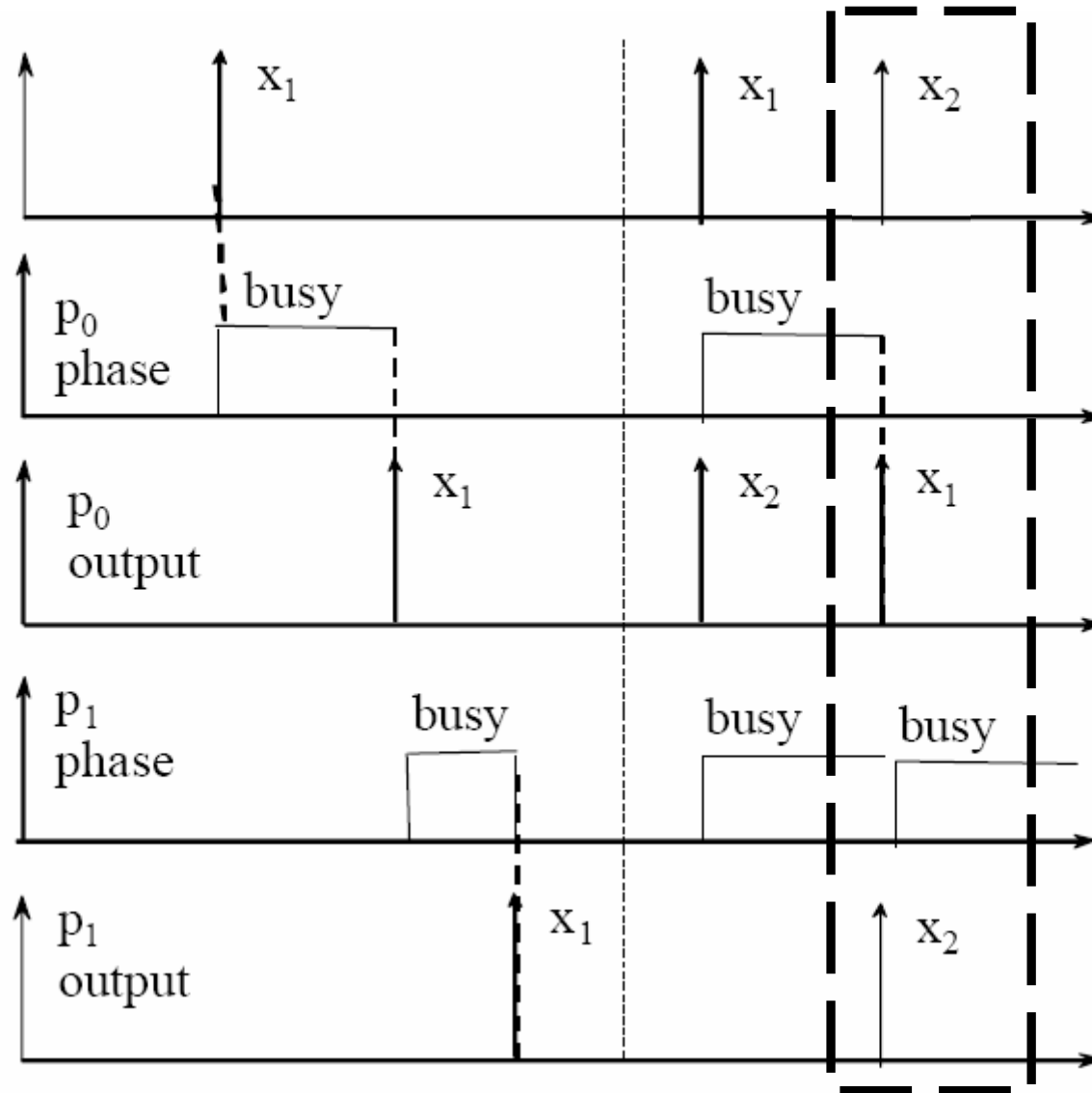
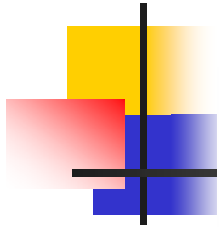
Previous example



Handling of imminent components in Parallel DEVS



Problem in Classic DEVS solved



Closure under Coupling of Parallel DEVS

- Resultant of the coupled model:

$$DEVS_N = \langle X, S, Y, \delta_{int}, \delta_{ext}, \delta_{con}, \lambda, ta \rangle$$

- Partition components into 4 sets:

$$ta(s) = \text{minimum}\{\sigma_d | d \in D\},$$

where $s \in S$ and $\sigma_d = ta(s_d) - e_d$

$$IMM(s) = \{d | \sigma_d = ta(s)\}$$

imminent components

$$INF(s) = \{d | i \in I_d, i \in IMM(s) \wedge x_d^b \neq \Phi\},$$

$$\text{where } x_b^d = \{Z_{i,d}(\lambda_i(s_i)) | i \in IMM(s) \cap I_d\}$$

components about to
receive inputs

- $CON(s) = IMM(s) \cap INF(s)$

(confluent components)

- $INT(s) = IMM(s) - INF(s)$

(imminent components
receiving no input)

- $EXT(s) = INF(s) - IMM(s)$

(components receiving input
but not imminent)

- $UN(s) = D - IMM(s) - INF(s)$

(remaining components)



Closure under Coupling of Parallel DEVS

■ Functions of the Resultant:

■ **Output Function:** $\lambda(s) = \{Z_{d,N}(\lambda_d(s_d)) \mid d \in IMM(s) \wedge d \in I_N\}$

■ **Internal Transition Function:**

We define

$$\delta_{int}(s) = (\dots, (s'_d, e'_d), \dots),$$

where

$$(s'_d, e'_d) = (\delta_{int,d}(s_d), 0) \quad \text{for } d \in INT(s),$$

$$(s'_d, e'_d) = (\delta_{ext,d}(s_d, e_d + ta(s), x_d^b), 0) \quad \text{for } d \in EXT(s),$$

$$(s'_d, e'_d) = (\delta_{con,d}(s_d, x_d^b), 0) \quad \text{for } d \in CONF(s),$$

$$(s'_d, e'_d) = (s_d, e_d + ta(s)) \quad \text{otherwise}$$



Closure under Coupling of Parallel DEVS

- External Transition Function:

We define

$$\delta_{ext}(s, e, x^b) = (\dots, (s'_d, e'_d), \dots),$$

where

$$(s'_d, e'_d) = (\delta_{ext,d}(s_d, e_d + e, x_d^b), 0) \quad \text{for } N \in I_d \wedge x_d^b \neq \Phi,$$

$$(s'_d, e'_d) = (s_d, e_d + e) \quad \text{otherwise}$$

- Confluent Transition Function:

$$INF'(s) = \{d | (i \in I_d, i \in IMM(s) \vee N \in I_d) \wedge x_d^b \neq \Phi\},$$

$$\text{where } x_b^d = \{Z_{i,d}(\lambda_i(s_i)) | i \in IMM(s) \wedge i \in I_d\} \cup \{Z_{N,d}(x) | x \in x^b \wedge N \in I_d\}$$

Then we have

$$CON'(s) = IMM(s) \cap INF'(s)$$

$$INT'(s) = IMM(s) - INF'(s)$$

$$EXT'(s) = INF'(s) - IMM(s)$$

We define

$$\delta_{con}(s, x^b) = (\dots, (s'_d, e'_d), \dots),$$

where

$$(s'_d, e'_d) = (\delta_{int,d}(s_d), 0) \quad \text{for } d \in INT'(s),$$

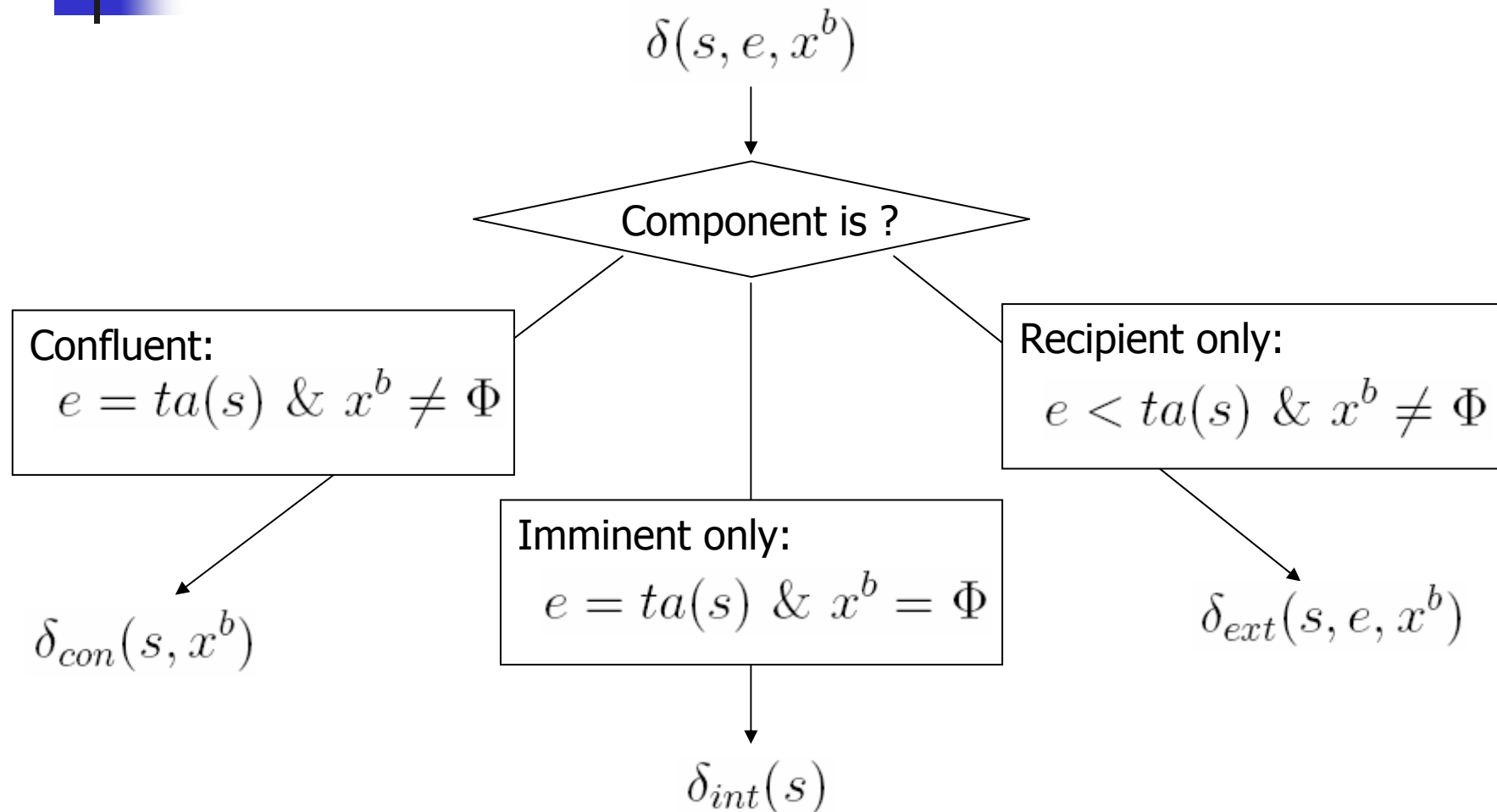
$$(s'_d, e'_d) = (\delta_{ext,d}(s_d, e_d + ta(s), x_d^b), 0) \quad \text{for } d \in EXT'(s),$$

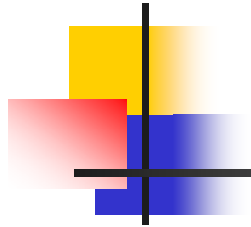
$$(s'_d, e'_d) = (\delta_{con,d}(s_d, x_d^b), 0) \quad \text{for } d \in CONF'(s),$$

$$(s'_d, e'_d) = (s_d, e_d + ta(s)) \quad \text{otherwise}$$



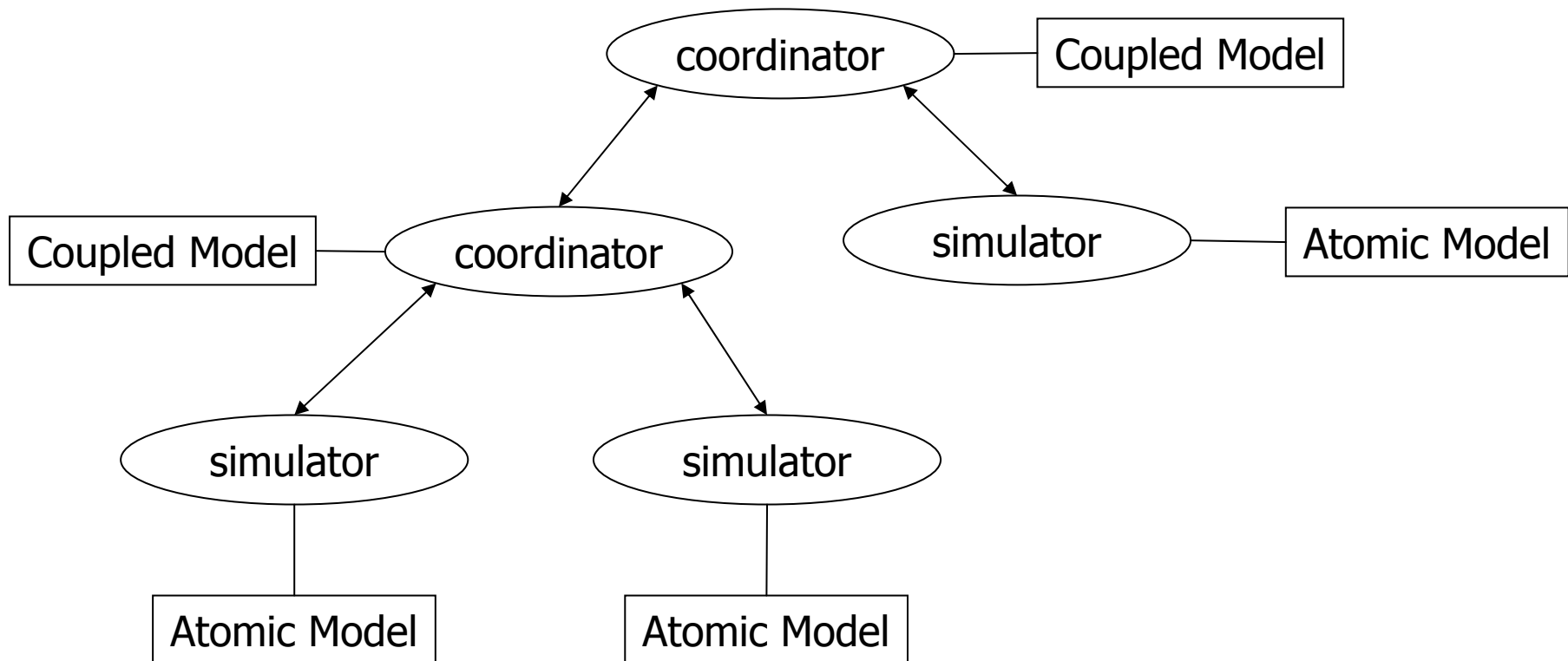
Generic Transition Function



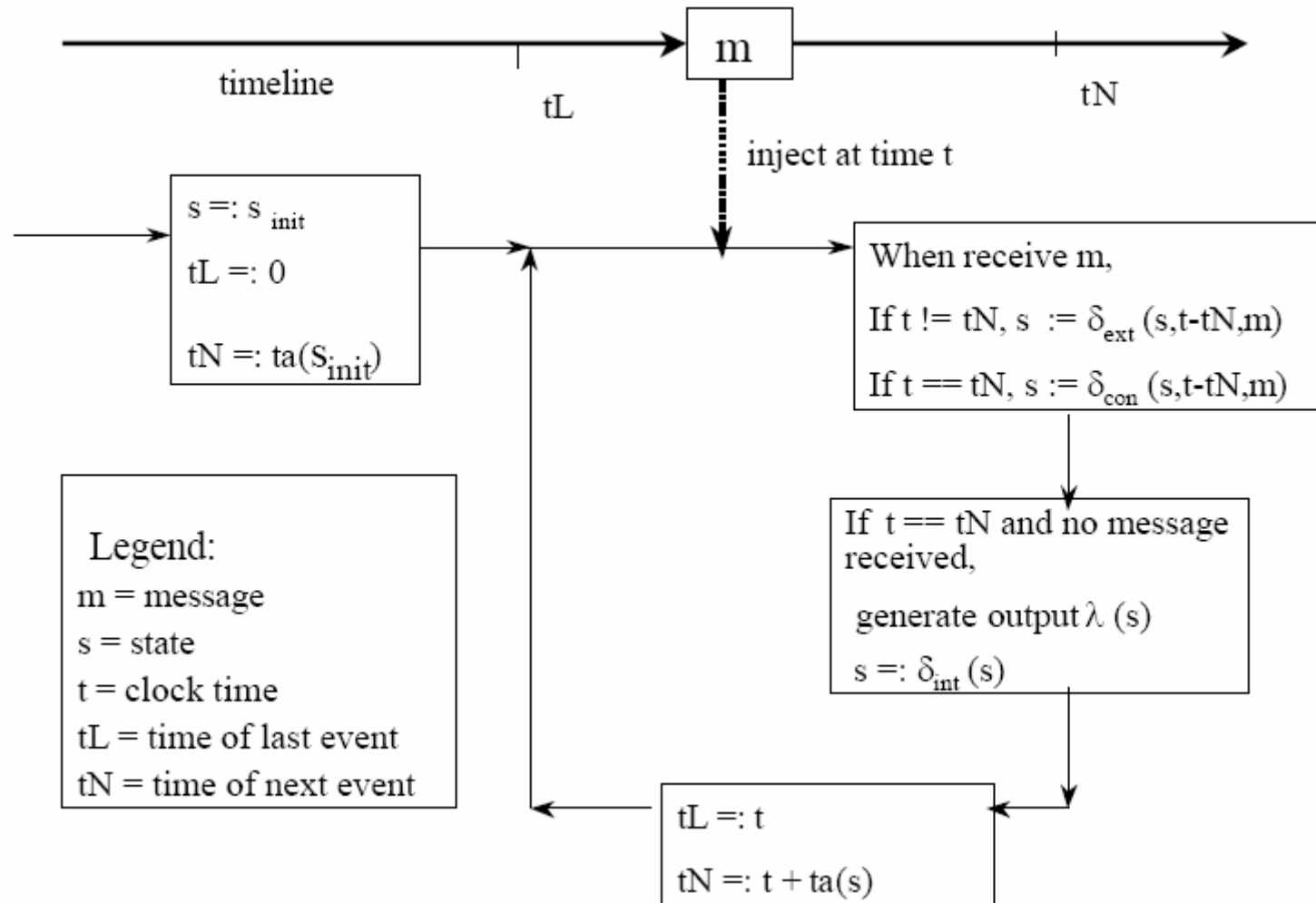


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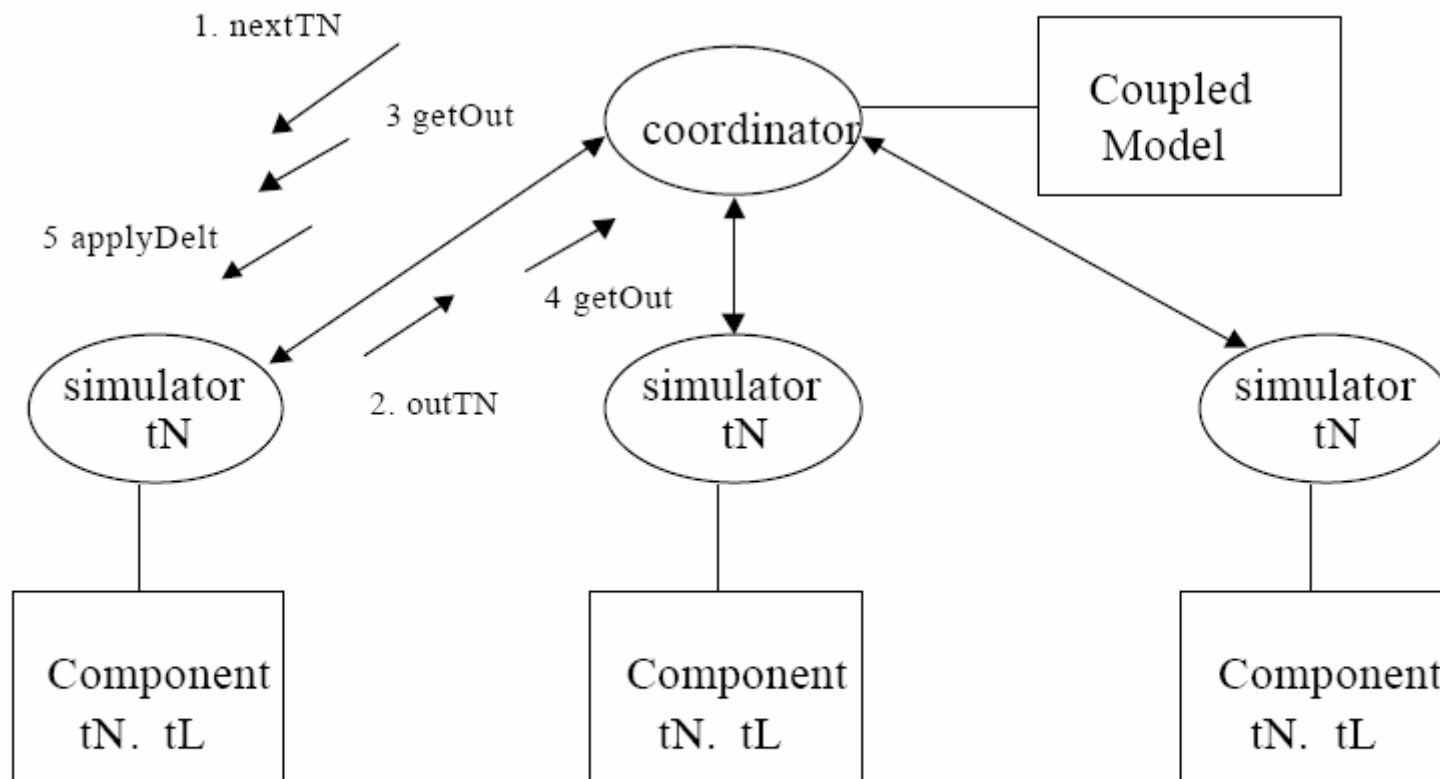
Hierarchical Model



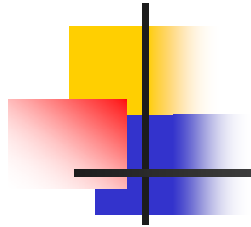
Atomic Model Simulator



Coupled Model Simulator



After each transition
 $tN = t + ta()$, $tL = t$



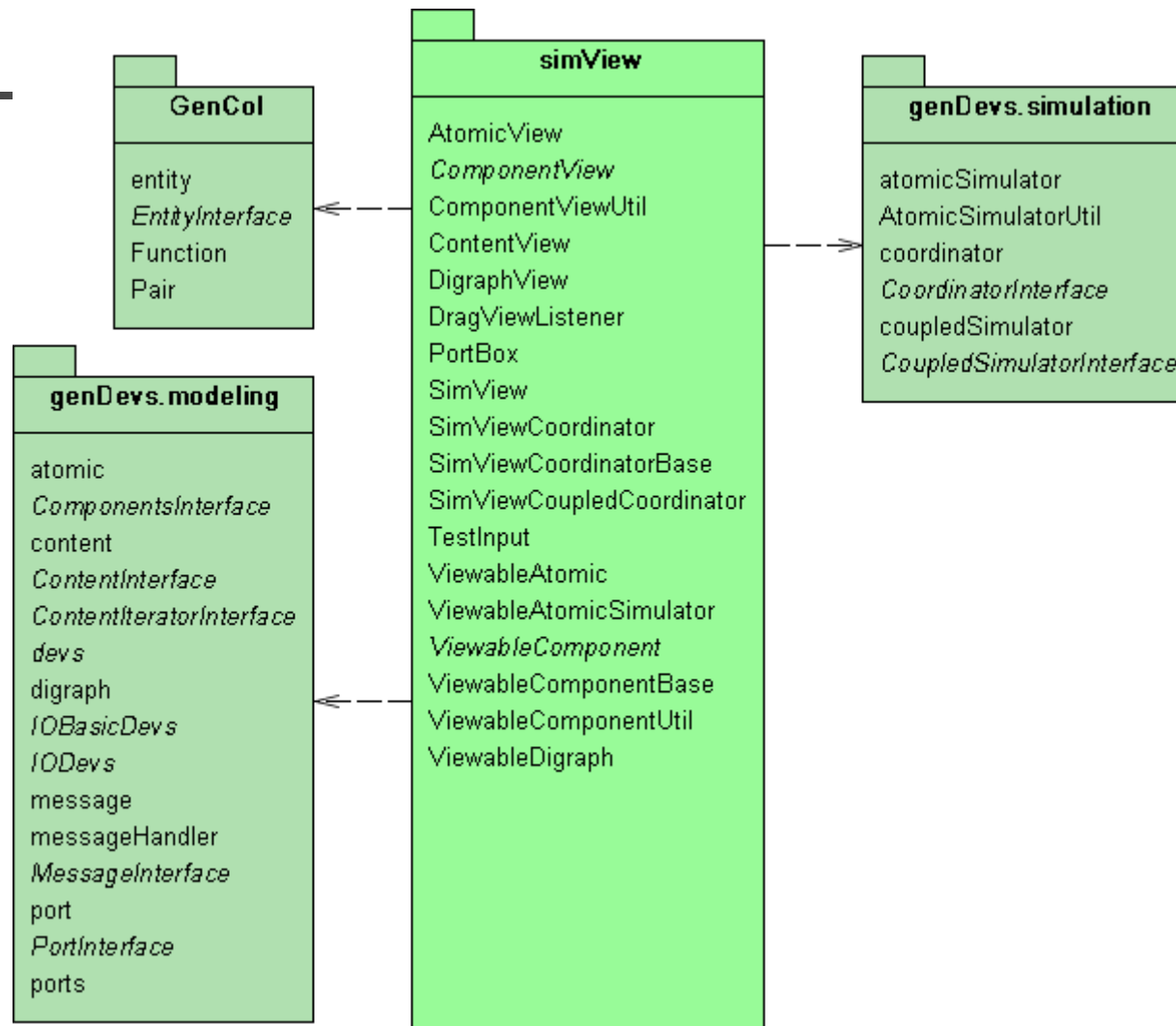
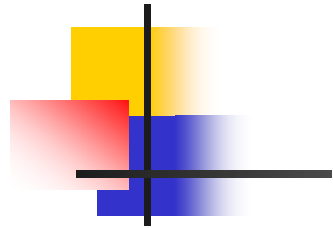
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 - **DEVSJAVA**

The logo consists of a vertical black line intersecting a horizontal black line. To the left of the intersection, there are three overlapping squares: a yellow one at the top, a red one in the middle, and a blue one at the bottom. The text "DEVSJAVA" is written in a bold, blue, sans-serif font to the right of the vertical line.

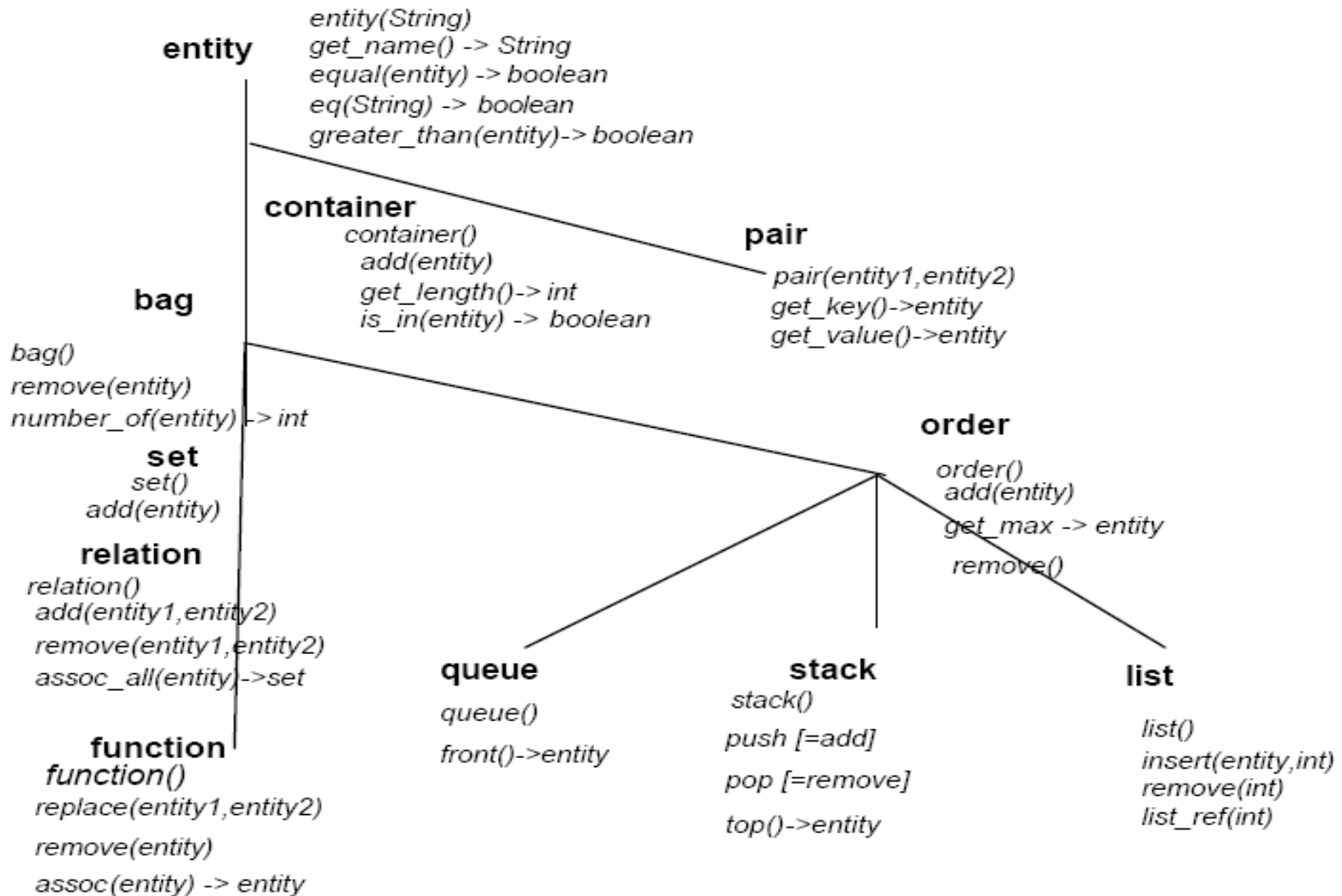
DEVSJAVA

- DEVS-based, Object-Oriented Modeling and Simulation environment.
- Written in Java and supports parallel execution on a uni-processor
- Simulation Viewer for animating simulation in V2.7

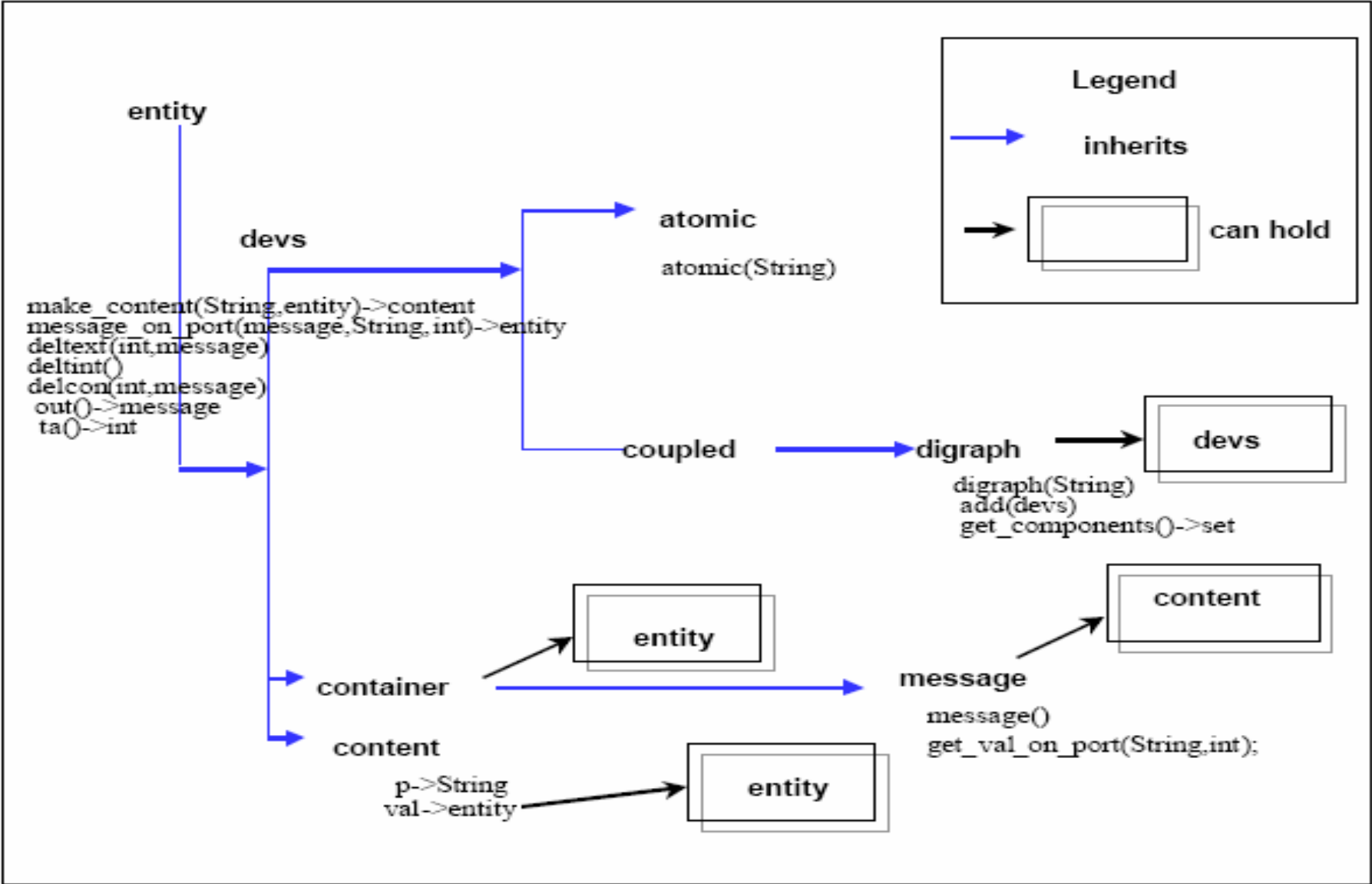
Package Diagram



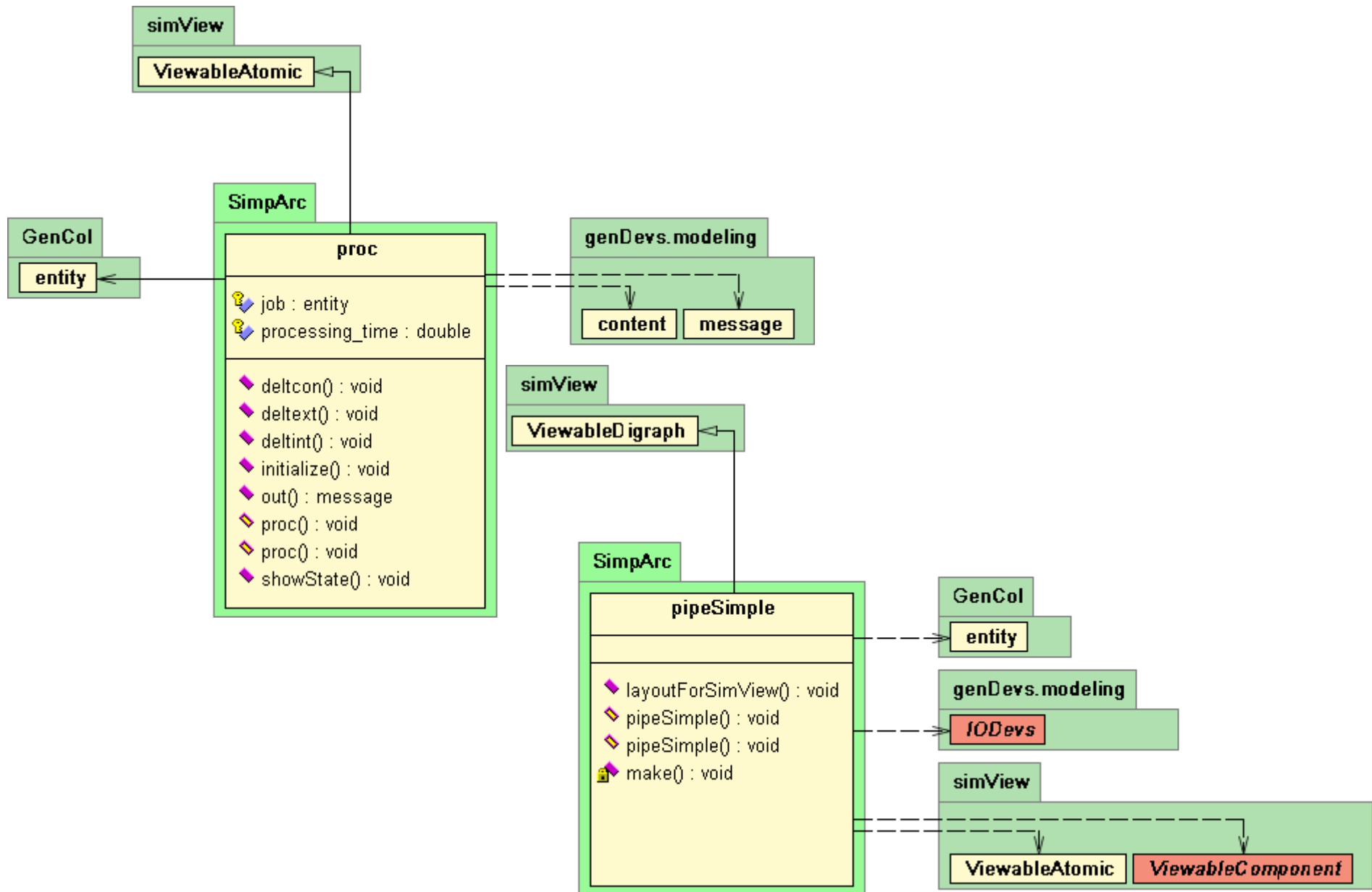
DEVJSJAVA Class hierarchy of container classes



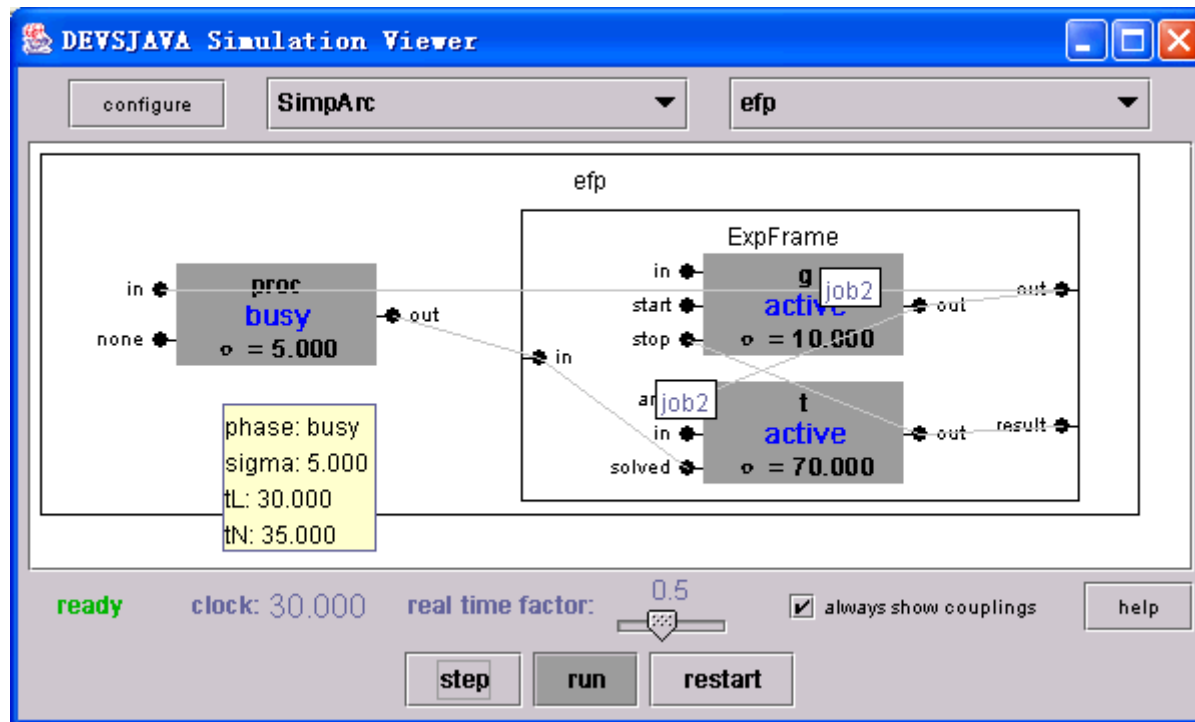
DEVSJAVA Class hierarchy of DEVS classes



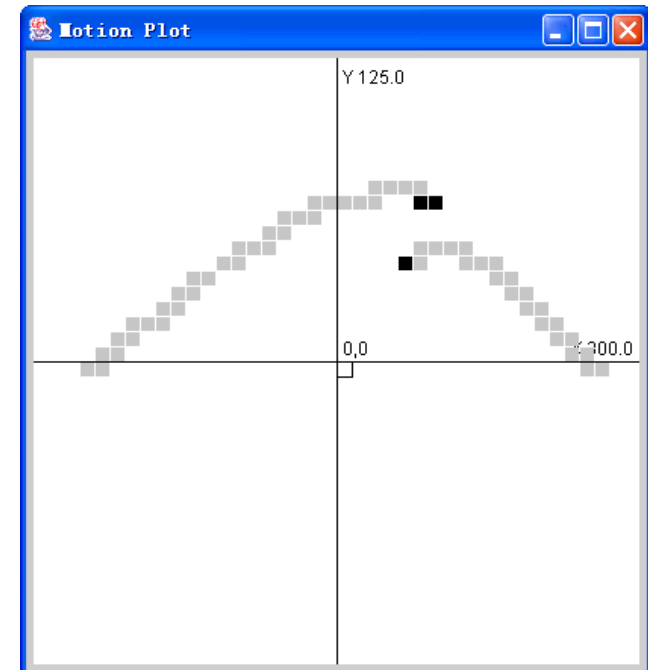
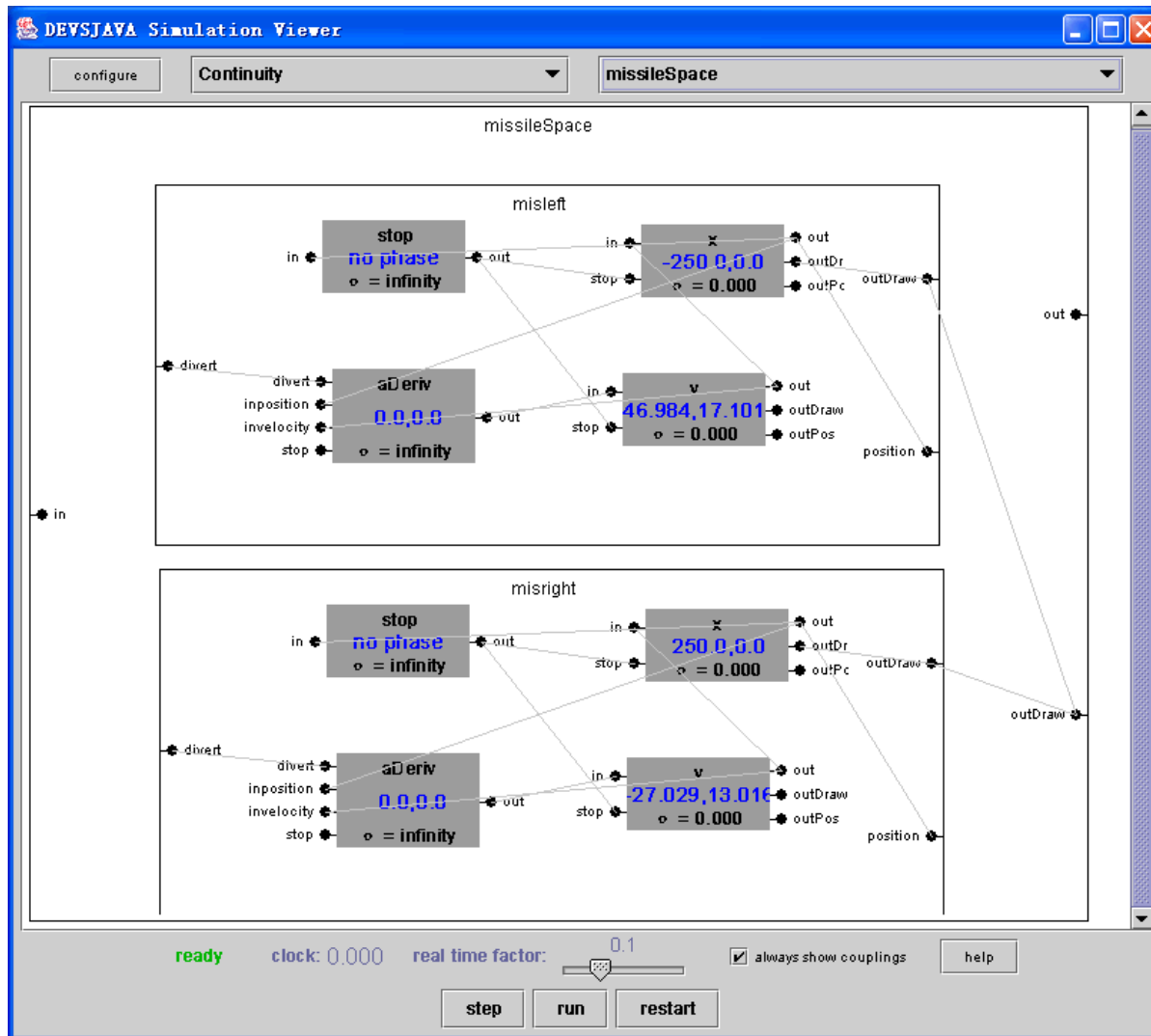
Simple Pipeline in DEVSJAVA



Simulation Viewer



More complicated example





Sources

- DEVSJAVA - Modeling and Simulation environment for developing DEVS-based models by Hessem Sarjoughian, Bernard Zeigler.
 - <http://www.acims.arizona.edu/SOFTWARE/software.shtml#DEVSJAVA> (need a license)



Question?
